

# INTRODUCTION TO RENDERING TECHNIQUES

22 Mar. 2012

Yanir Kleiman

# What is 3D Graphics?

## □ Why 3D?

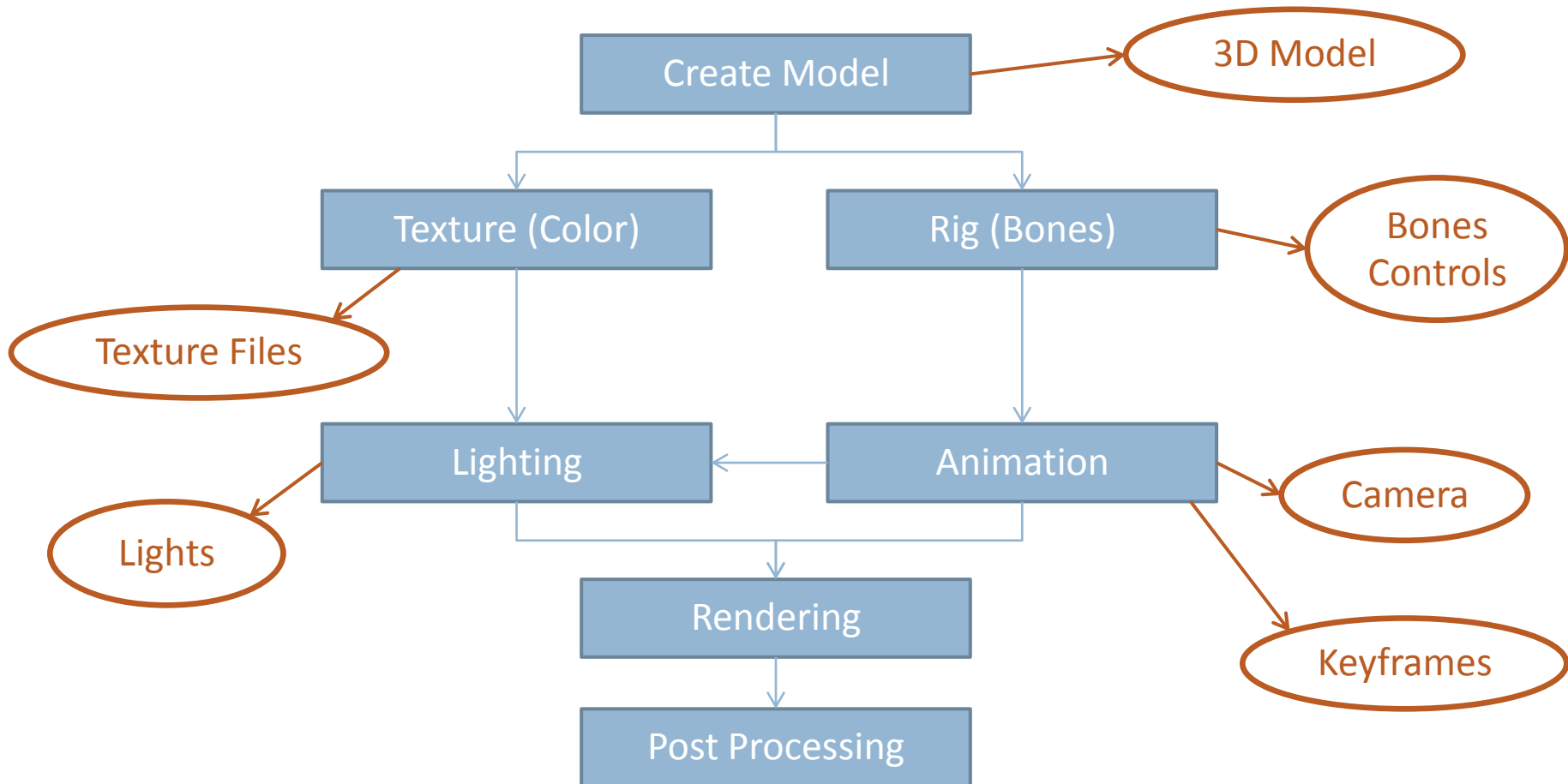


- Draw one frame at a time
- X 24 frames per second
- 150,000 frames for a feature film
- Realistic rendering is hard
- Camera movement is hard
- Interactive animation is hard

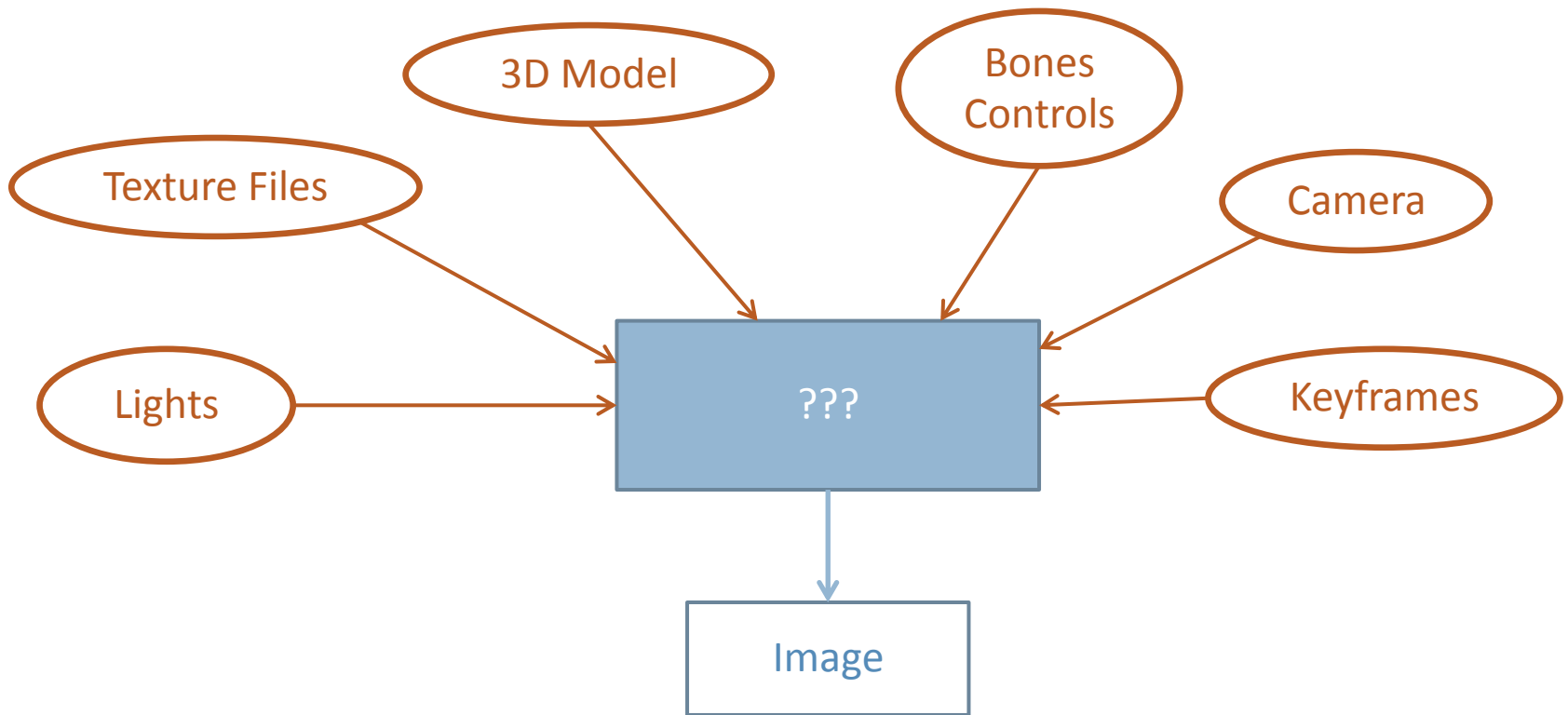
- Model only once
- Color / texture only once
- Realism / hyper realism
- A lot of reuse
- Computer time instead of artists time
- Can be interactive (games)

# What is 3D Graphics?

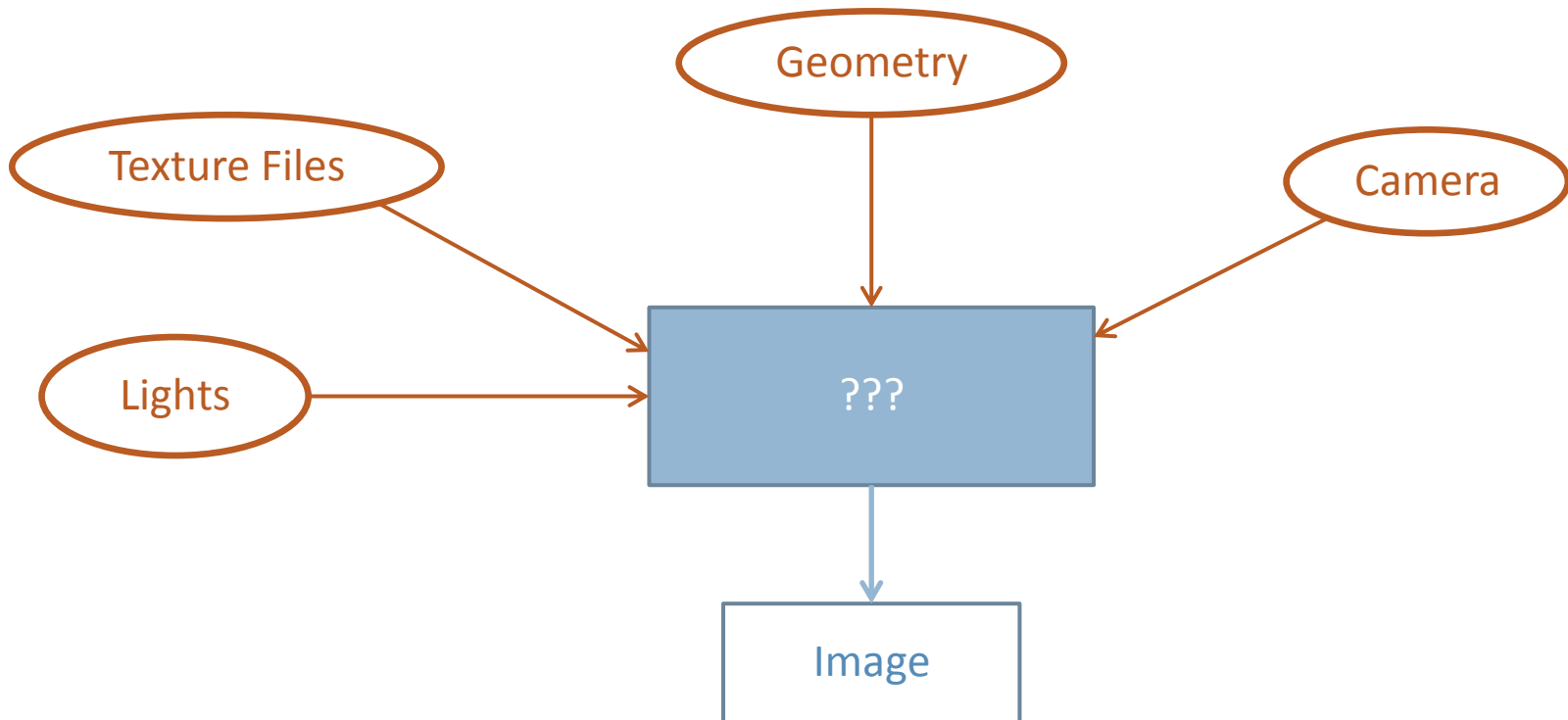
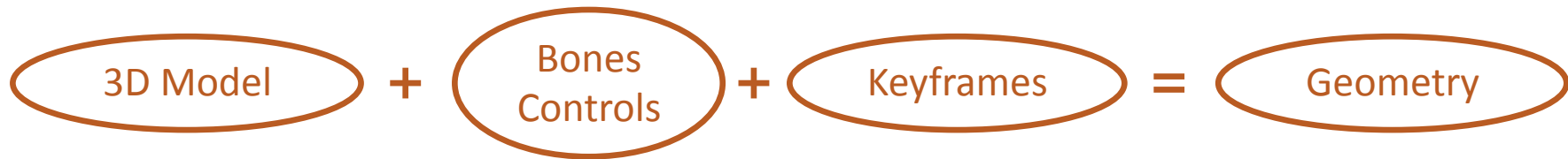
## □ Artists workflow – in a nutshell



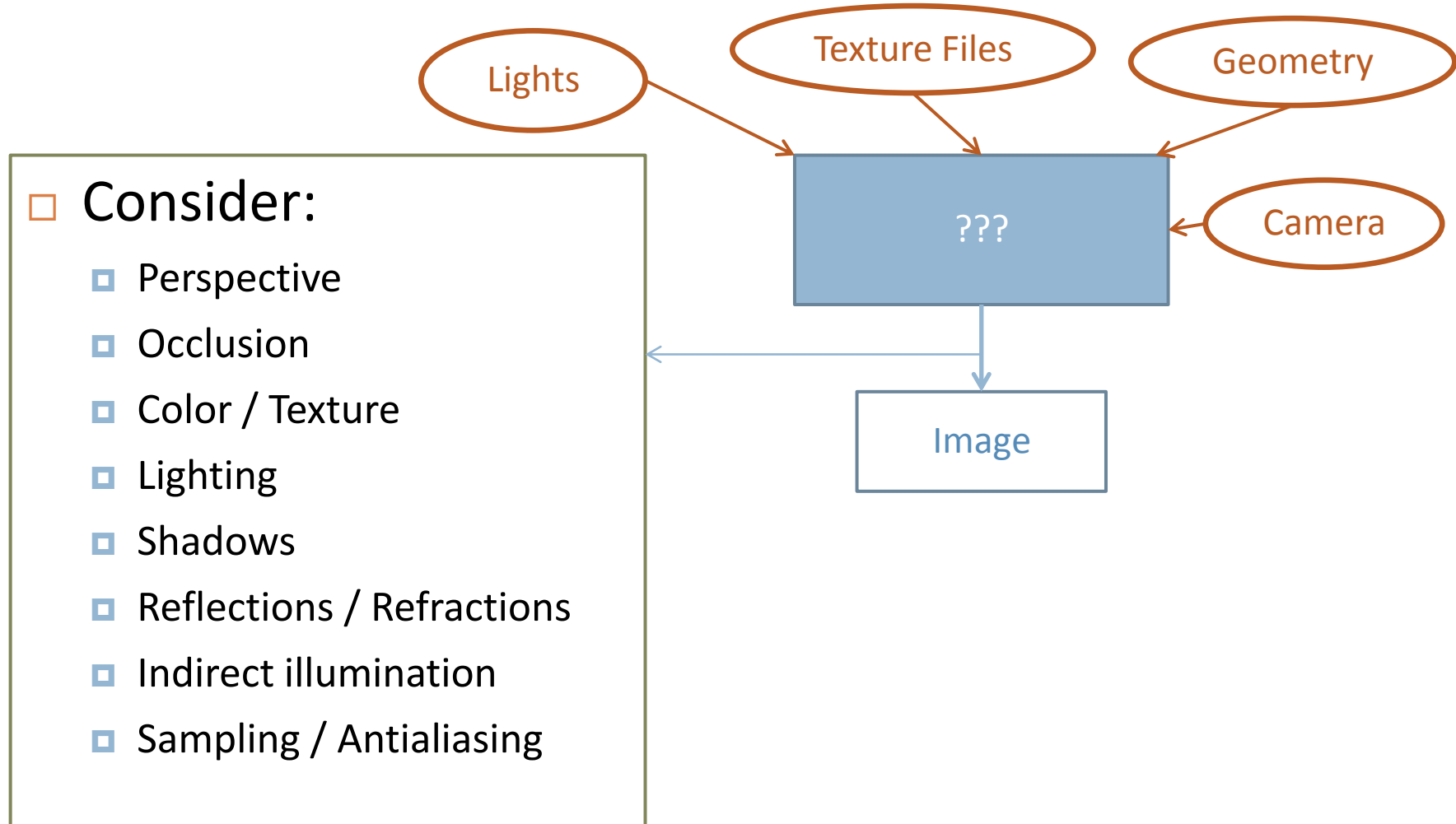
# What is Rendering?



# What is Rendering?



# What is Rendering?



# Two Approaches

- Start from **geometry**

- ▣ For each polygon / triangle:

- Is it visible?
    - Where is it?
    - What color is it?

**Rasterization**

- Start from **pixels**

- ▣ For each pixel in the final image:

- Which object is visible at this pixel?
    - What color is it?

**Ray Tracing**

# RASTERIZATION

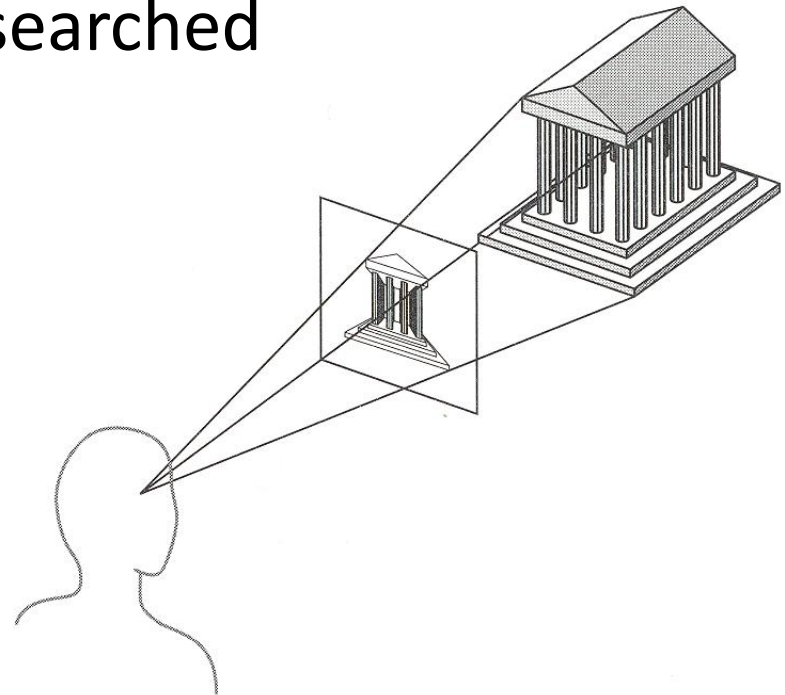
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Introduction to Rendering Techniques

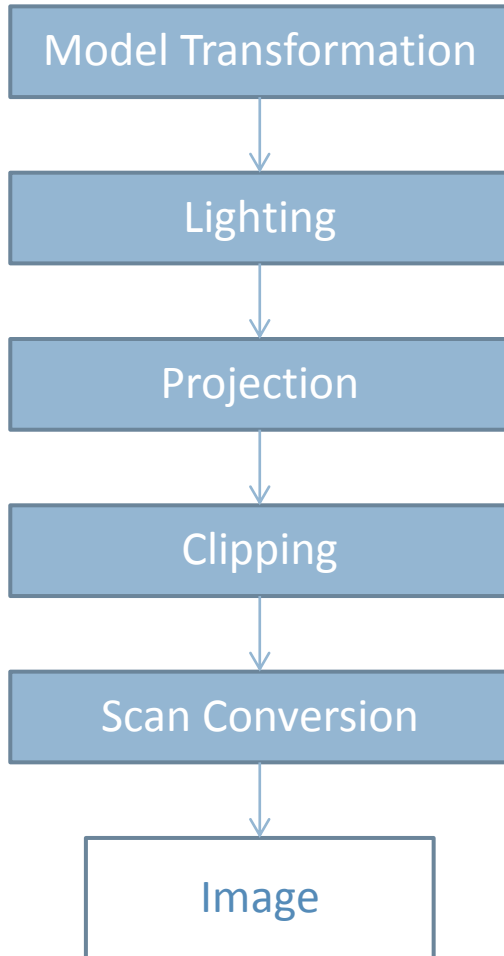


# Rasterization

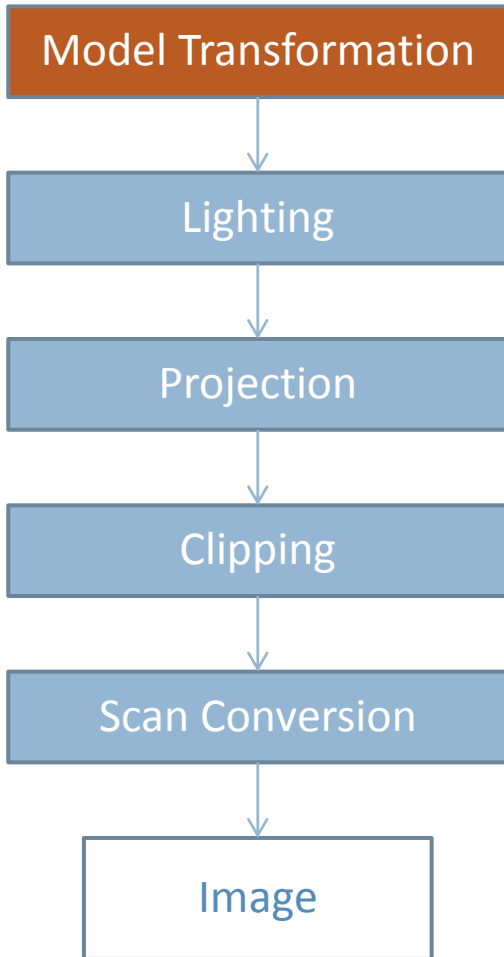
- ❑ Basic idea: Calculate projection of each triangle onto the 2D image space
- ❑ Extensively used and researched
- ❑ Optimized by GPU
- ❑ Strongly parallelized
- ❑ OpenGL
- ❑ DirectX



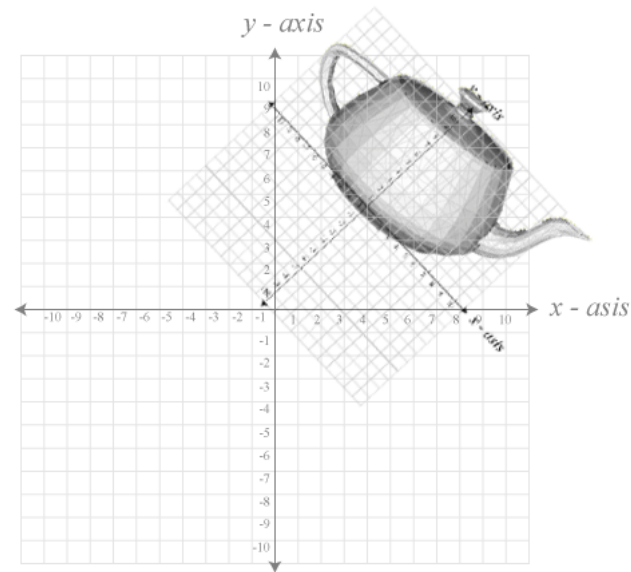
# Rasterization – Graphics Pipeline



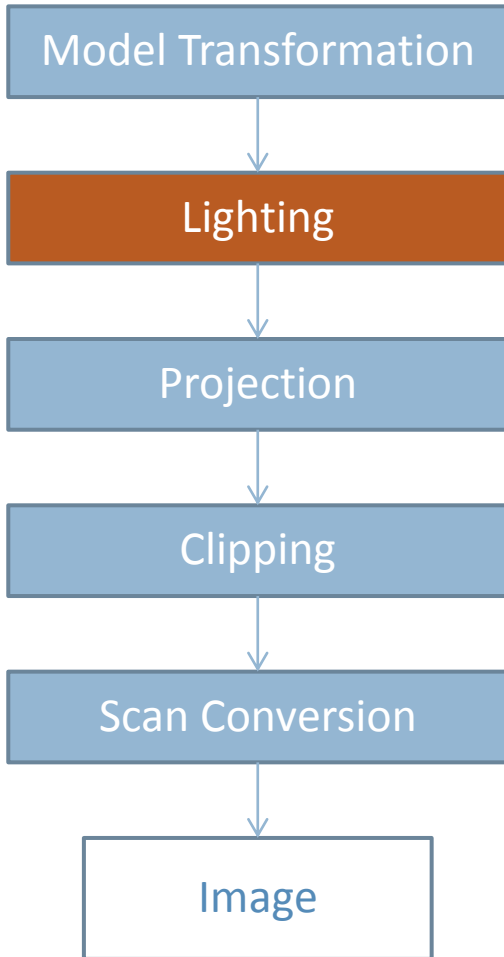
# Rasterization – Graphics Pipeline



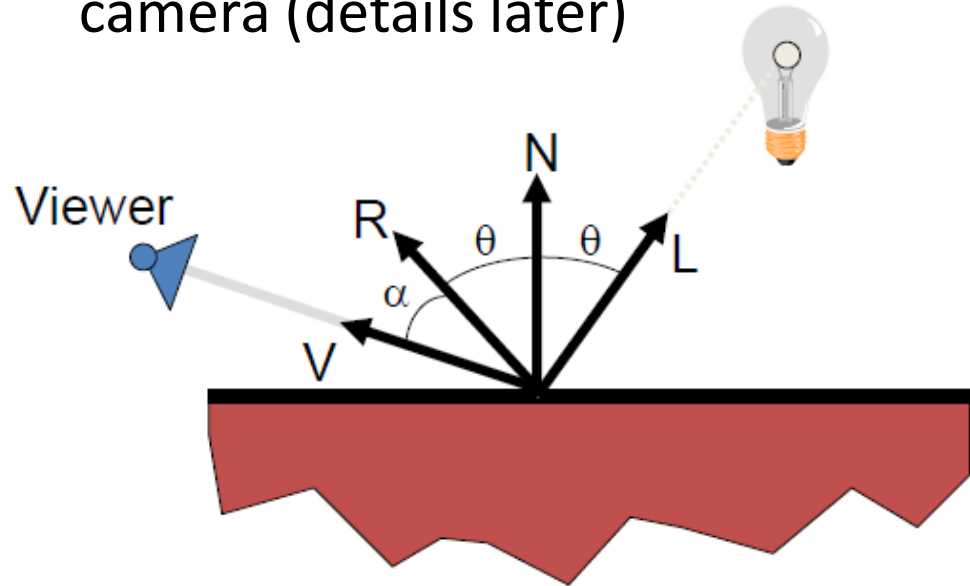
- Transform each triangle from **object space** to **world space**
- Local space -> Global space



# Rasterization – Graphics Pipeline

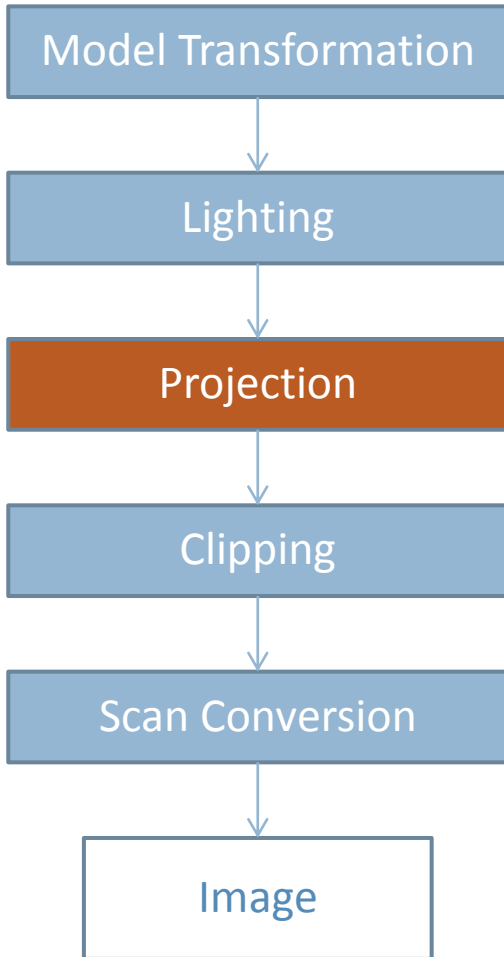


- Computation is based on angles between light source, object and camera (details later)

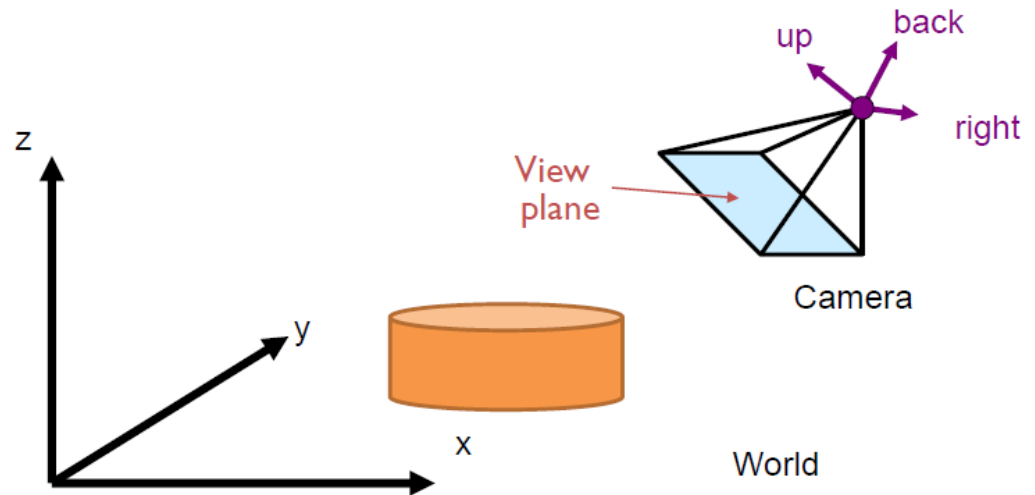


- Backface culling

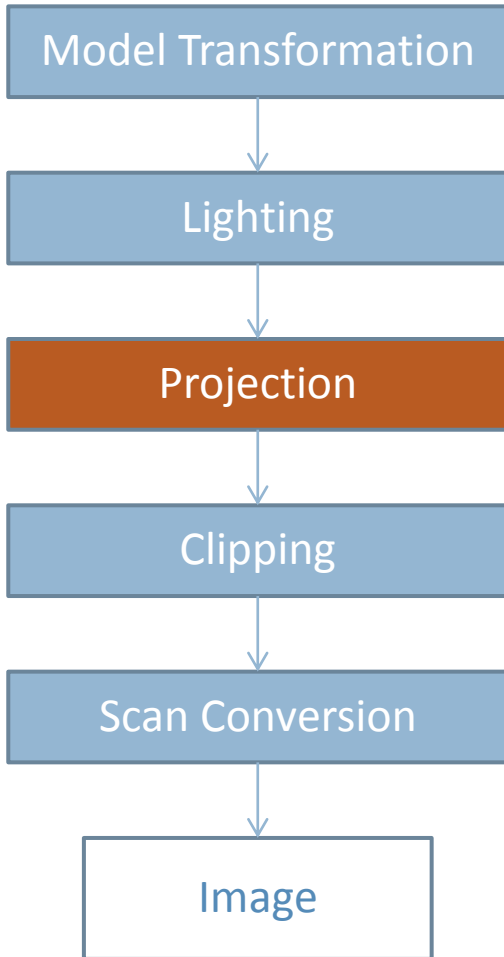
# Rasterization – Graphics Pipeline



- Step 1: Transform triangles from **world space** to **camera space** (orthogonal transformation)

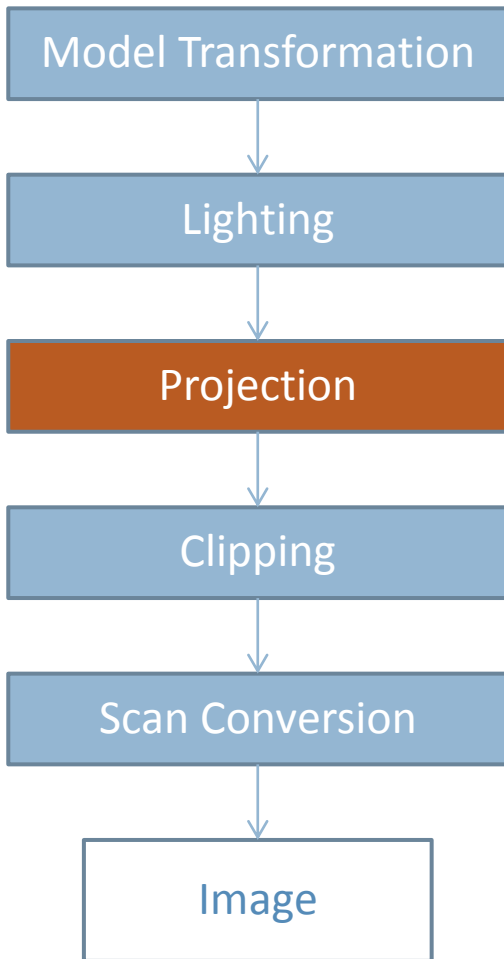


# Rasterization – Graphics Pipeline

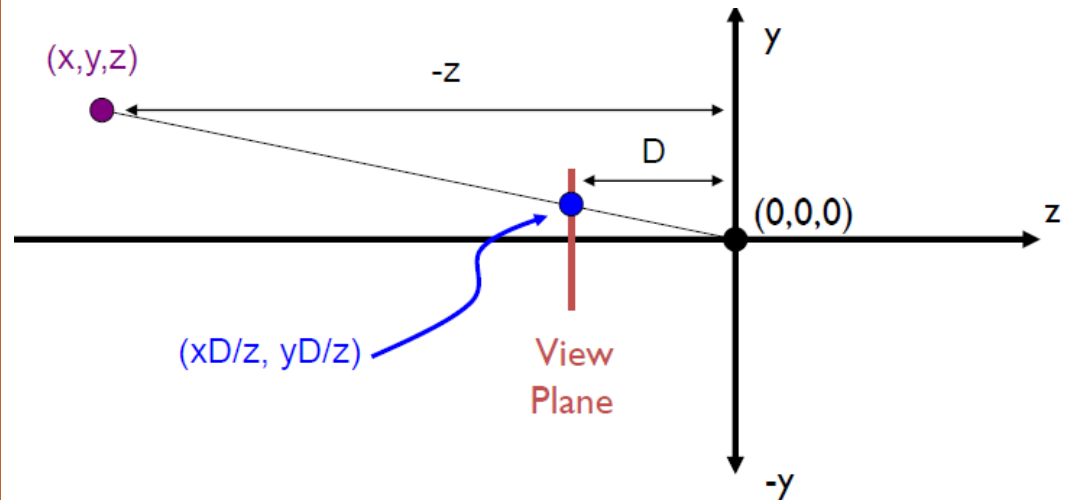


- Step 1: Transform triangles from **world space** to **camera space** (orthogonal transformation)
- Camera is at  $(0, 0, 0)$
- X axis is right vector
- Y axis is up vector
- Z axis is “back vector” (away from camera)

# Rasterization – Graphics Pipeline

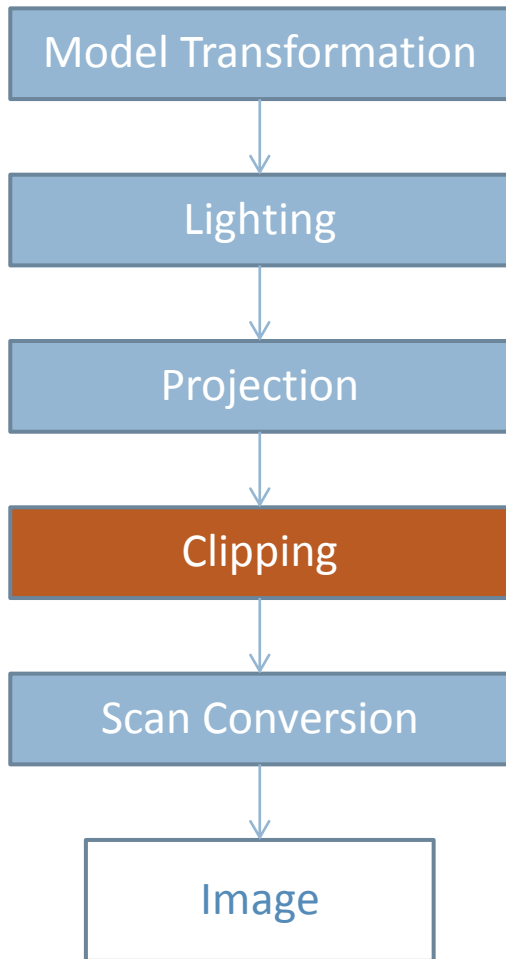


- Step 2: Perspective Projection
- Depends on focal length ( $D$ )



- Calculate Z-Buffer

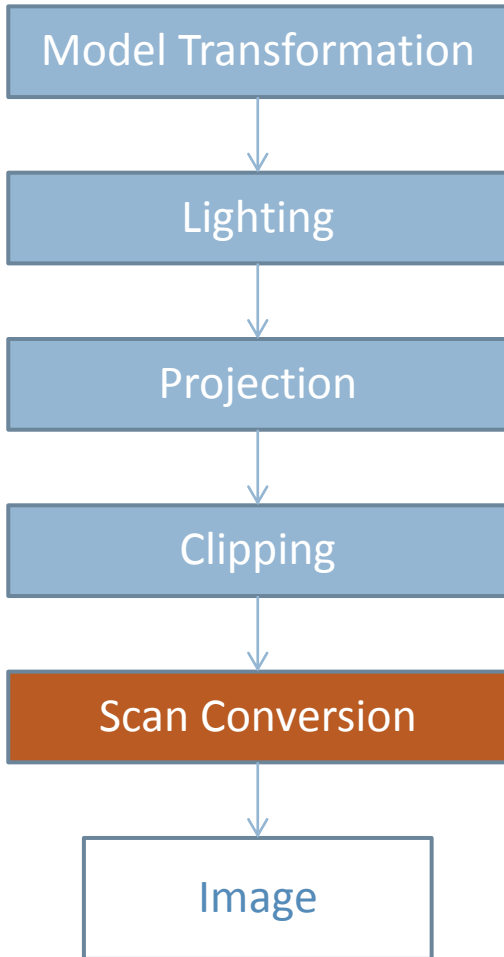
# Rasterization – Graphics Pipeline



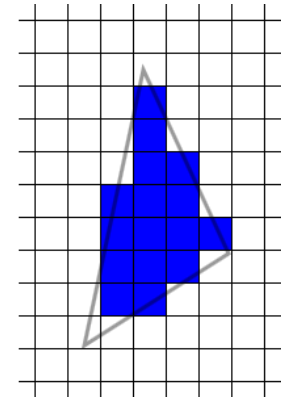
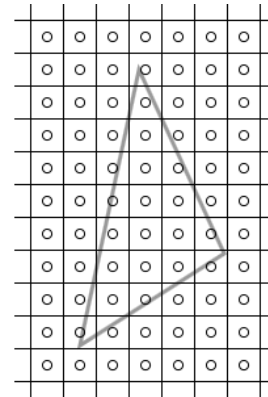
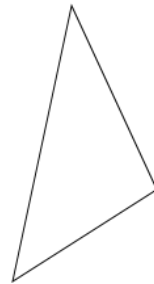
- Remove triangles that fall outside the clipping plane
- Determine boundaries of triangles partially within the clipping plane



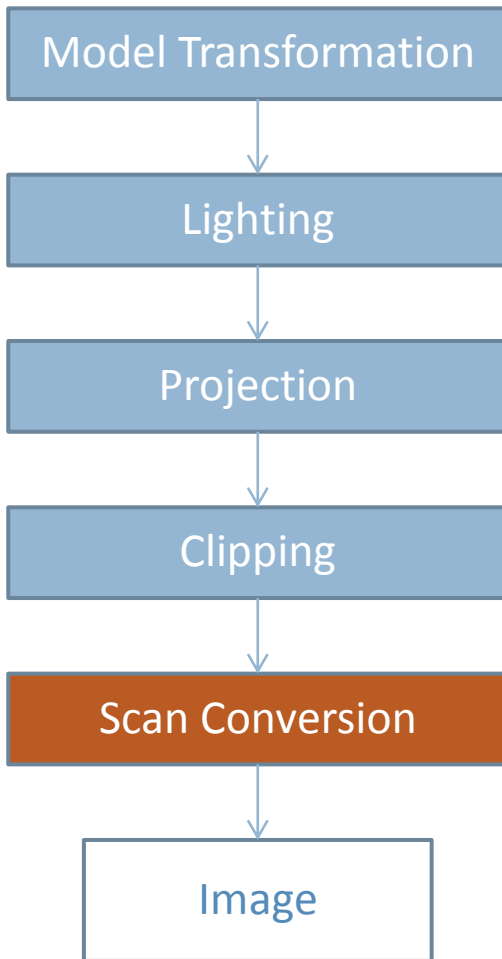
# Rasterization – Graphics Pipeline



- Drawing the triangles in 2D
- Scanning horizontal scan lines for each triangle



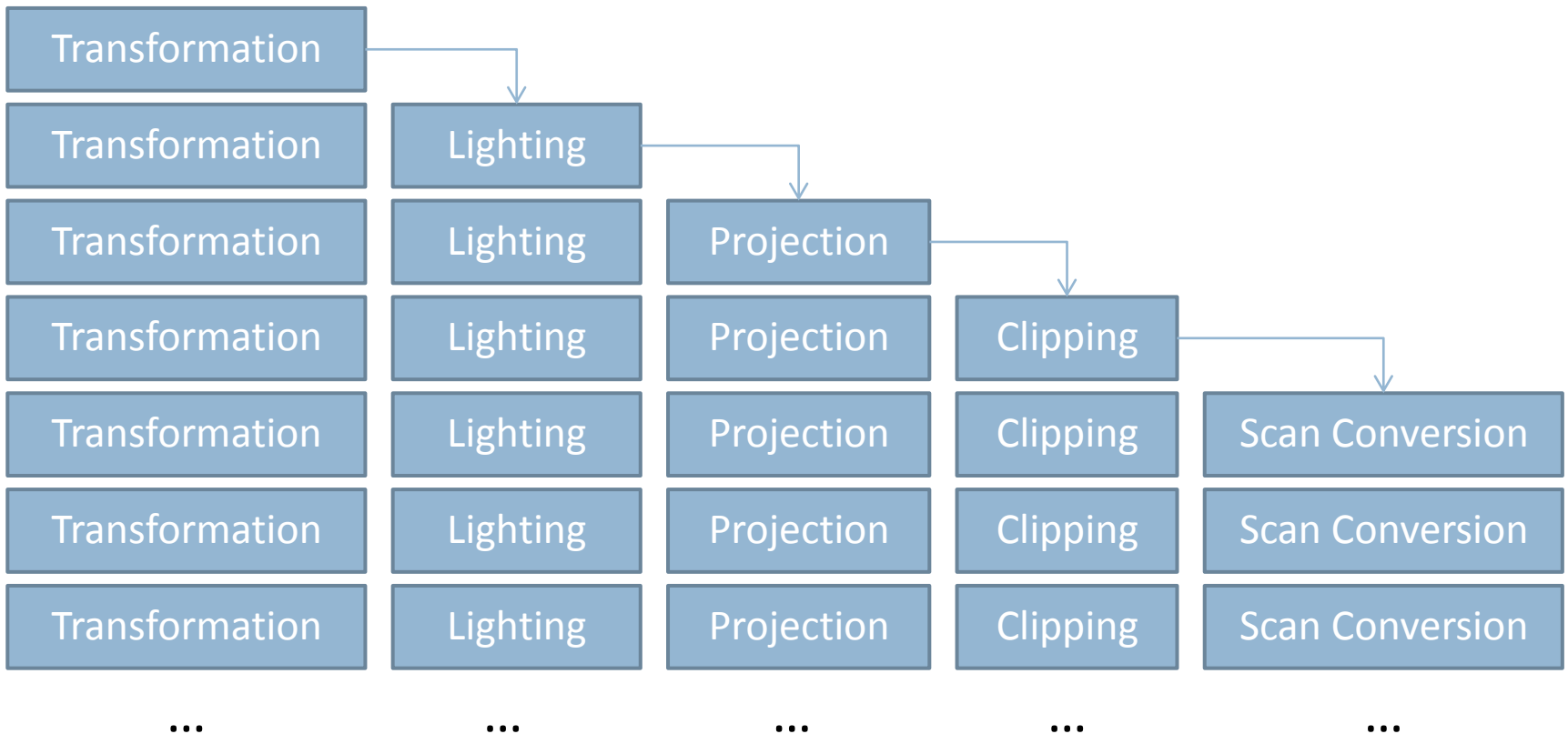
# Rasterization – Graphics Pipeline



- Check z-buffer for intersections
- Use precalculated vertex lighting
- Interpolate lighting at each pixel (smooth shading)
  
- Texture: Every vertex has a texture coordinate (u, v)
- Interpolate texture coordinates to find pixel color

# Rasterization – Parallel Processing

- Triangles are independent except for z-buffer
- Every step is calculated by a different part in the GPU

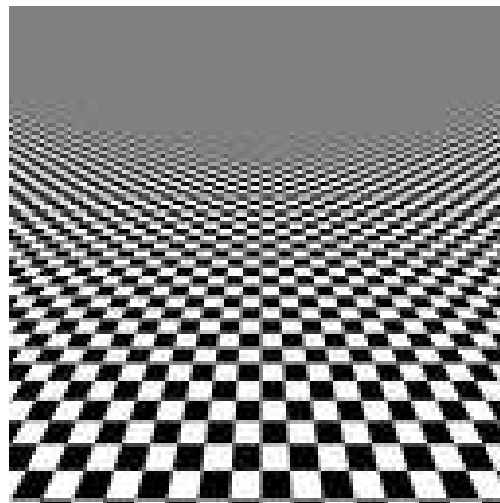
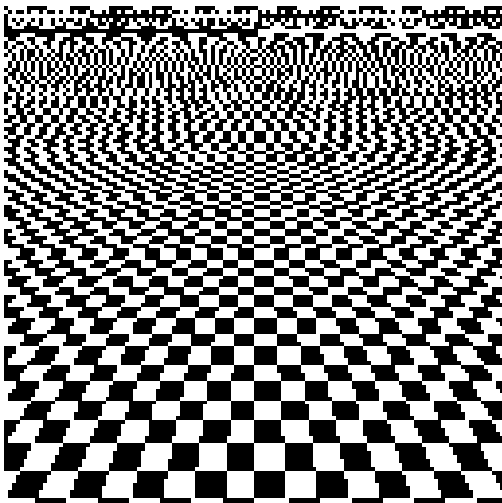
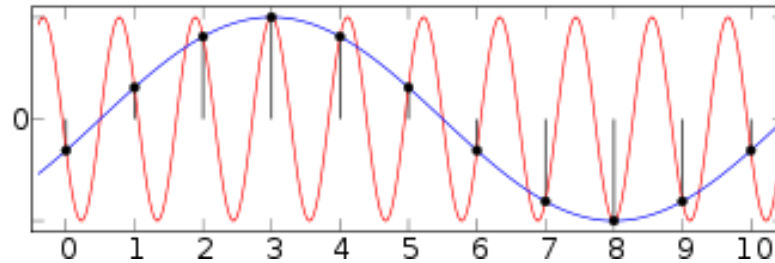


# Rasterization – Parallel Processing

- Modern GPUs can draw **600M polygons** per second
- Suitable for real time applications (gaming, medical)
- But what about...
  - ▣ Shadows?
  - ▣ Reflections?
  - ▣ Refractions?
  - ▣ Antialiasing?
  - ▣ Indirect illumination?

# Rasterization – Antialiasing

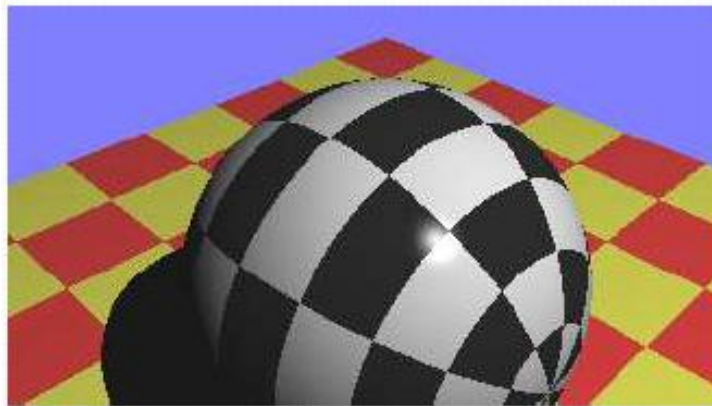
- Aliasing examples



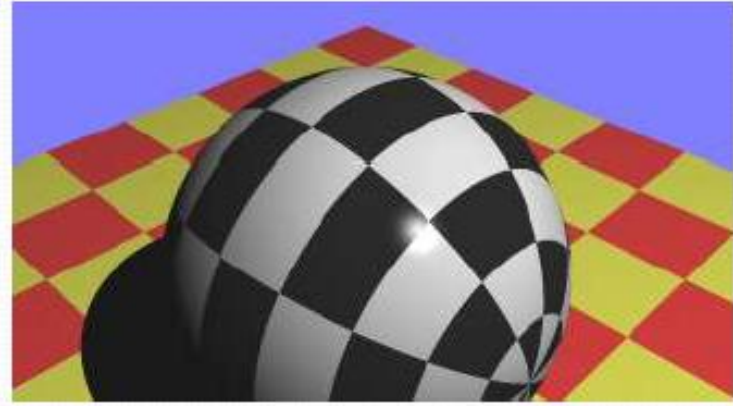
# Rasterization – Antialiasing

- Aliasing examples

**Aliasing**

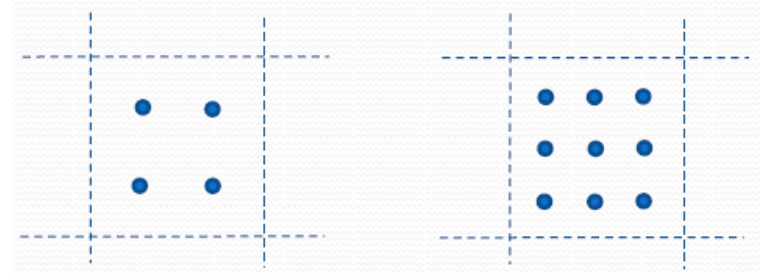


**Anti-aliased**



# Rasterization – Antialiasing

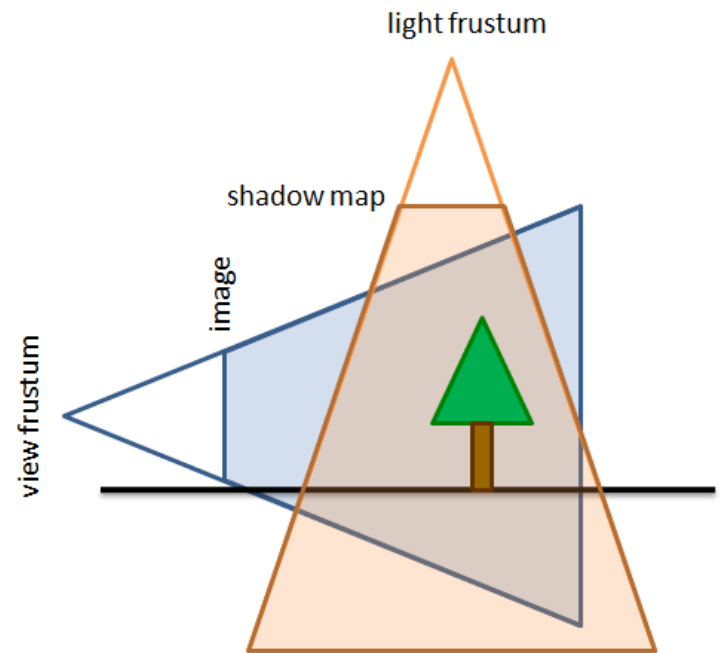
- Antialiasing: Trying to reduce aliasing effects
- Simple solution: Multisampling
- Only the last step changes!
- During scan conversion, sample subpixels and average



- This is equivalent to rendering a larger image
- Observation: Rendering twice larger resolution costs less than rendering twice – since scanline is efficient and the rest doesn't change!

# Rasterization – Shadow Maps

- Render an image from the light's point of view (the light is the camera) ] **Shadow map**
- Keep “depth” from light of every pixel in the map
- During image render:  
Calculate position and depth on the **shadow map** for each **pixel** in the **final image** (not vertex!)
- If **pixel depth** > **shadow map depth** the pixel will not receive light from this source



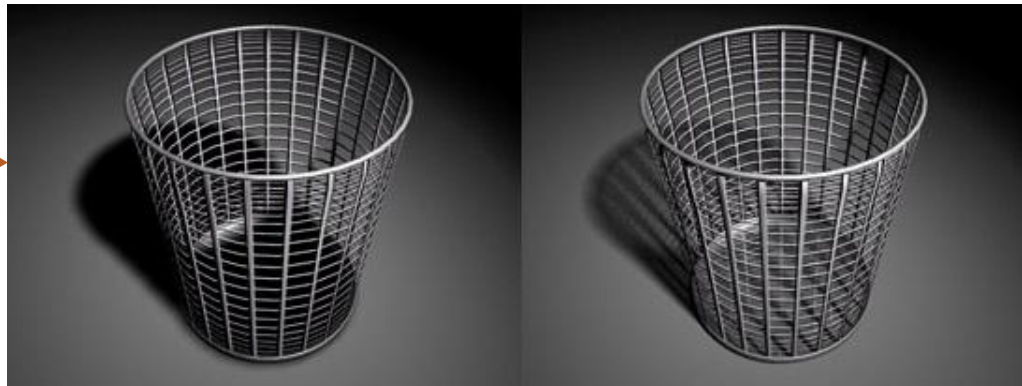


# Rasterization – Shadow Maps

- ❑ This solution is not optimal
- ❑ Shadow map resolution is not correlated to render resolution – one shadow map pixel can span a lot of rendered pixels!
- ❑ Shadow aliasing
- ❑ Only allows sharp shadows
- ❑ Semi-transparent objects

Various hacks and complex solutions

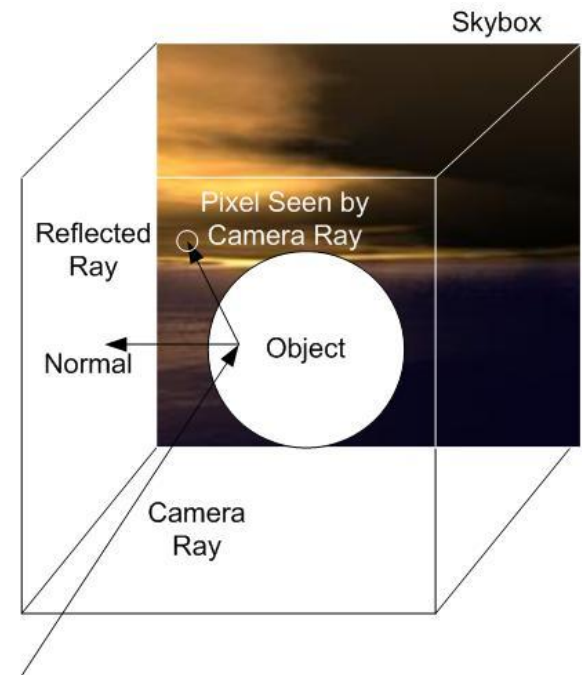
Blurred hard shadows  
(shadow map)



True soft shadows  
(ray tracing)

# Rasterization – Reflection Maps

- ❑ Not a true reflection – a “cheat”
- ❑ **Precalculate** reflection map from a point in the center (can be replaced by an existing image)
- ❑ The reflection map is mapped to a sphere or cube surrounding the scene
- ❑ Each direction (vector) is mapped to a specific color according to where it hits the sphere / cube
- ❑ During render, find the reflection color according to the **reflection vector** of each pixel (not vertex!)



# Rasterization – Reflection Maps

- Can produce fake reflections (no geometry needed)
- Works well for:
  - ▣ Environment reflection (landscape, outdoors, big halls)
  - ▣ Distorted reflections
  - ▣ Weak reflections (wood, plastic)
  - ▣ Static scenes
- Not so good for:
  - ▣ Reflections of near objects
  - ▣ Moving scenes
  - ▣ Mirror like objects
  - ▣ Optical effects

# Rasterization – Reflection Maps

- Examples: Reflection maps



Used to create the map



# Rasterization – Reflection Maps

- Examples: Ray traced reflections



# Rasterization – Reflection Maps

- Examples:



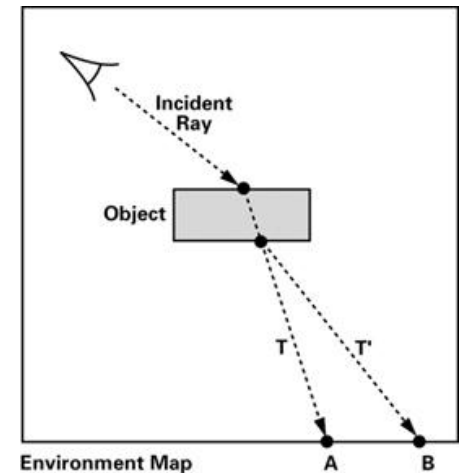
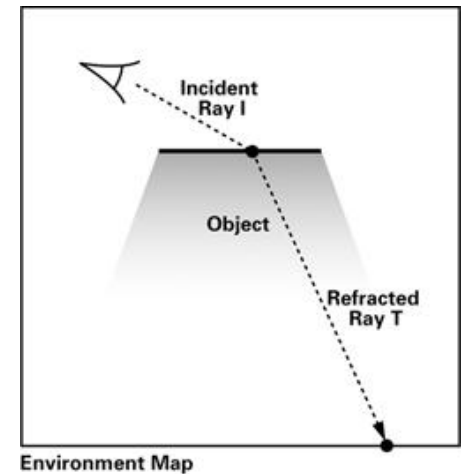
**Reflection Map**



**Ray Traced Reflection**

# Rasterization – Refractions

- There is no real solution
- Refraction maps: same as reflection maps but the angle is computed using **refractive index**
- Only simulates the first direction change, not the second (that would require ray tracing)
- Refraction is complex so fake refractions are hard to notice
- Doesn't consider near objects, only static background

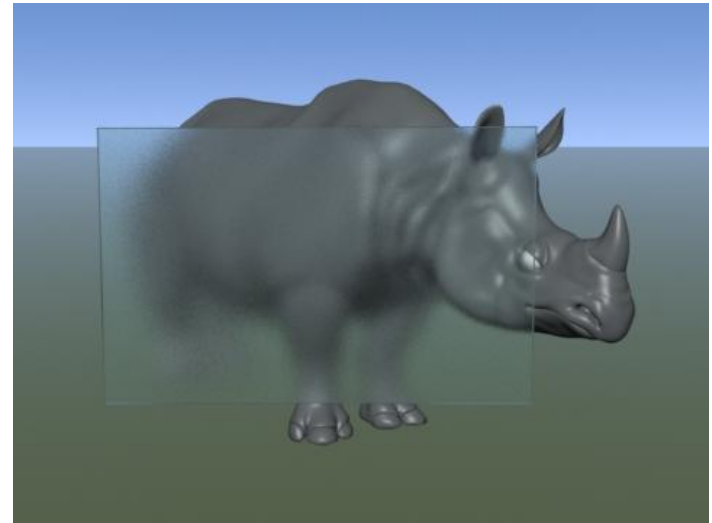


# Rasterization – Refractions

- ❑ Other “fake” solutions:
- ❑ Distort the background according to a precomputed map
- ❑ “Bake” ray traced refractions into a texture file (for static scenes)



**Refraction Map**

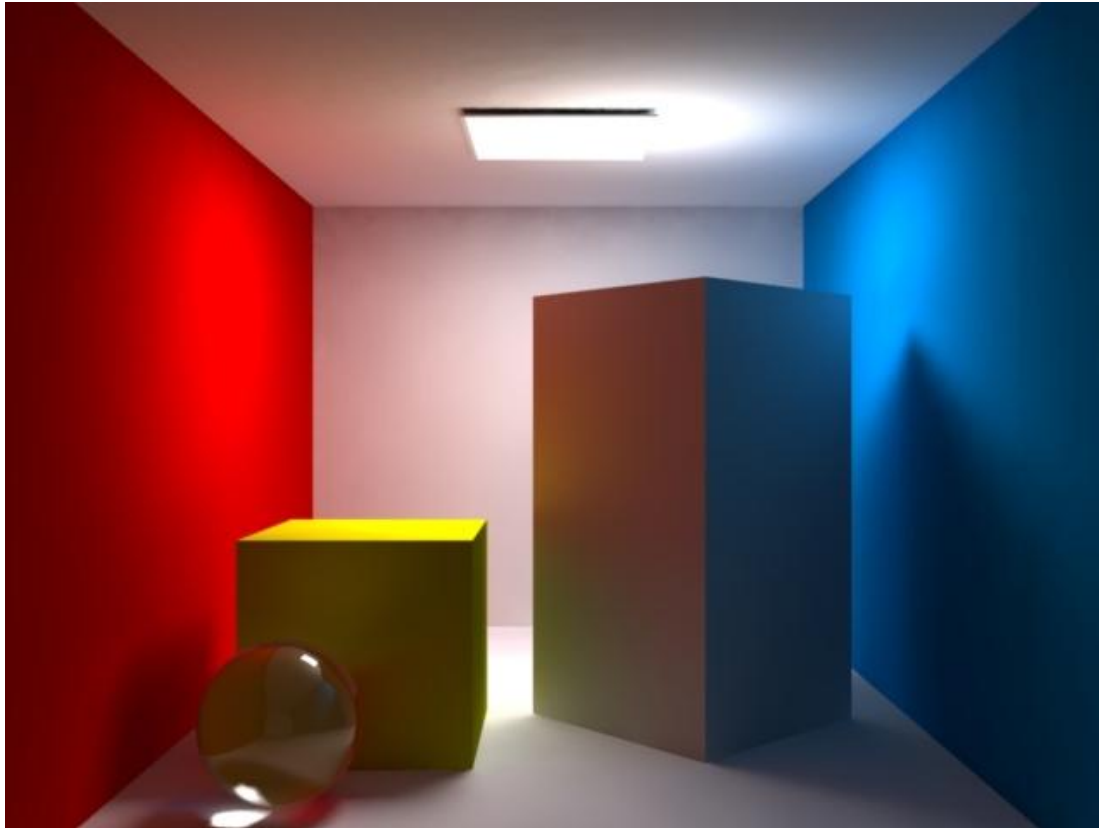


**Distort Background**



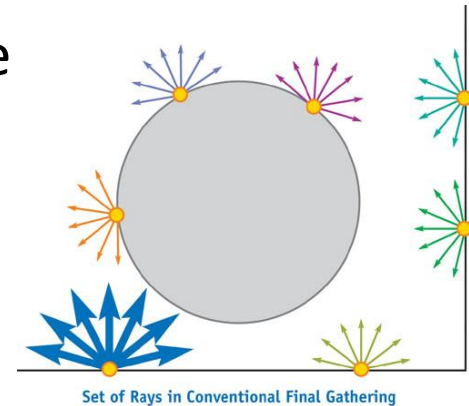
# Rasterization – Indirect Illumination

- Indirect / global illumination means taking into account light bouncing off other objects in the scene

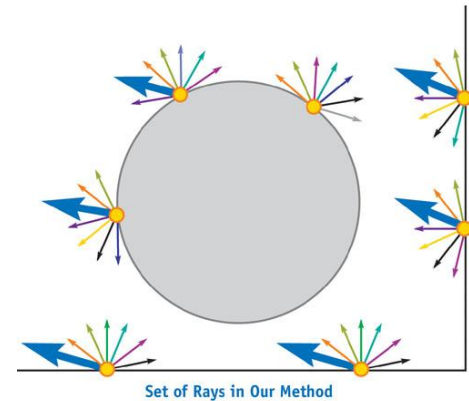


# Rasterization – Indirect Illumination

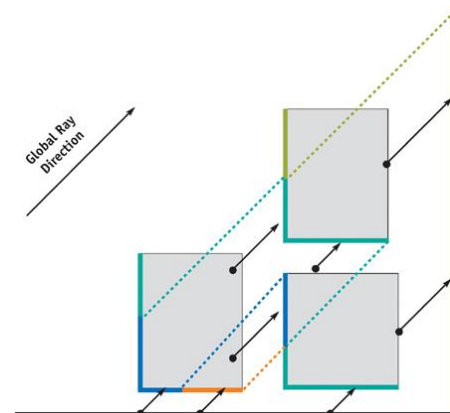
- Surprisingly, there are methods to approximate global illumination using only rasterization, **without** ray tracing
- **“High-Quality Global Illumination Rendering Using Rasterization”**, Toshiya Hachisuka, *The University of Tokyo*
- Main idea: Use a lot of fast rasterized “renders” from different angles to compute indirect illumination at each point
- Rasterization is super quick on GPU



(a)



(b)



# Rasterization – Indirect Illumination

## □ Results:

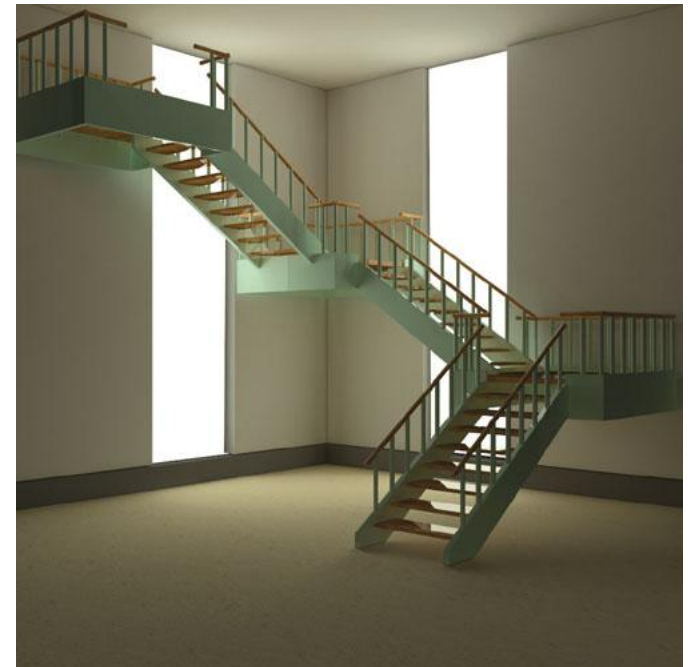
Results of equal render time



Photon mapping  
(ray tracing)



Rasterizer (GPU)



# TRANSFORMATIONS

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Introduction to Rendering Techniques

# Transformations

- We saw 2 types of transformations
- **Viewing transformation**: Can move, rotate and scale the object but does not skew or distort objects
- **Perspective projection**: This special transformation projects the 3D space onto the image plane
- How do we represent such transformations?
- Homogeneous coordinates: Adding a 4<sup>th</sup> dimension to the 3D space

$$\begin{bmatrix} x' \\ y' \\ z' \\ w' \end{bmatrix} = \begin{bmatrix} ? & ? & ? & ? \\ ? & ? & ? & ? \\ ? & ? & ? & ? \\ ? & ? & ? & ? \end{bmatrix} \begin{bmatrix} x \\ y \\ z \\ 1 \end{bmatrix}$$

# Viewing Transformations

## □ Types of transformations

### Scale

$$\begin{bmatrix} x' \\ y' \\ z' \\ w' \end{bmatrix} = \begin{bmatrix} a & 0 & 0 & 0 \\ 0 & b & 0 & 0 \\ 0 & 0 & c & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} x \\ y \\ z \\ 1 \end{bmatrix}$$

### Translate (move)

$$\begin{bmatrix} x' \\ y' \\ z' \\ w' \end{bmatrix} = \begin{bmatrix} 1 & 0 & 0 & x_0 \\ 0 & 1 & 0 & y_0 \\ 0 & 0 & 1 & z_0 \\ 0 & 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} x \\ y \\ z \\ 1 \end{bmatrix}$$

### Rotations

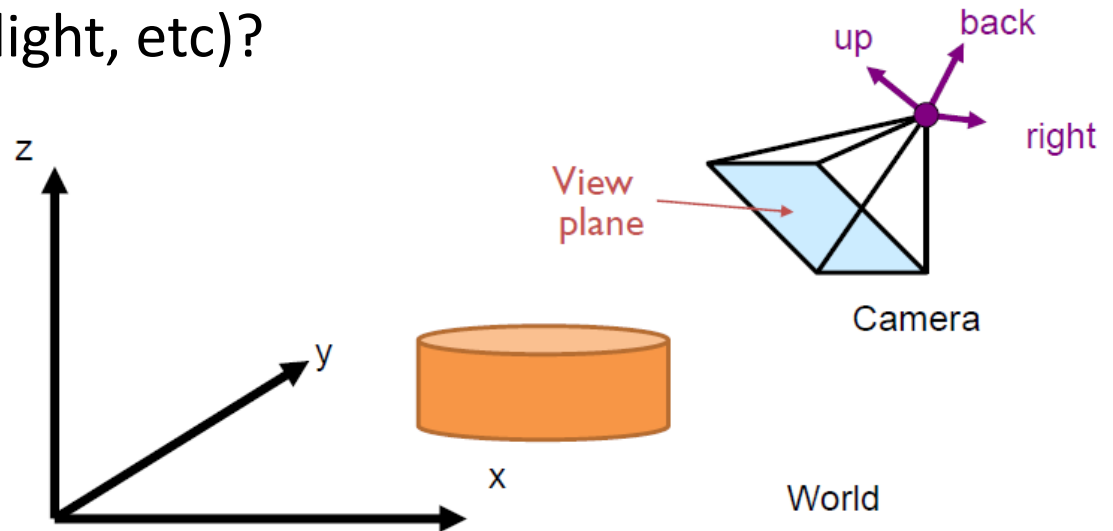
$$\begin{bmatrix} x' \\ y' \\ z' \\ w' \end{bmatrix} = \begin{bmatrix} \cos \theta & -\sin \theta & 0 & 0 \\ \sin \theta & \cos \theta & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} x \\ y \\ z \\ 1 \end{bmatrix}$$

$$\begin{bmatrix} x' \\ y' \\ z' \\ w' \end{bmatrix} = \begin{bmatrix} \cos \theta & 0 & \sin \theta & 0 \\ 0 & 1 & 0 & 0 \\ -\sin \theta & 0 & \cos \theta & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} x \\ y \\ z \\ 1 \end{bmatrix}$$

$$\begin{bmatrix} x' \\ y' \\ z' \\ w' \end{bmatrix} = \begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & \cos \theta & -\sin \theta & 0 \\ 0 & \sin \theta & \cos \theta & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} x \\ y \\ z \\ 1 \end{bmatrix}$$

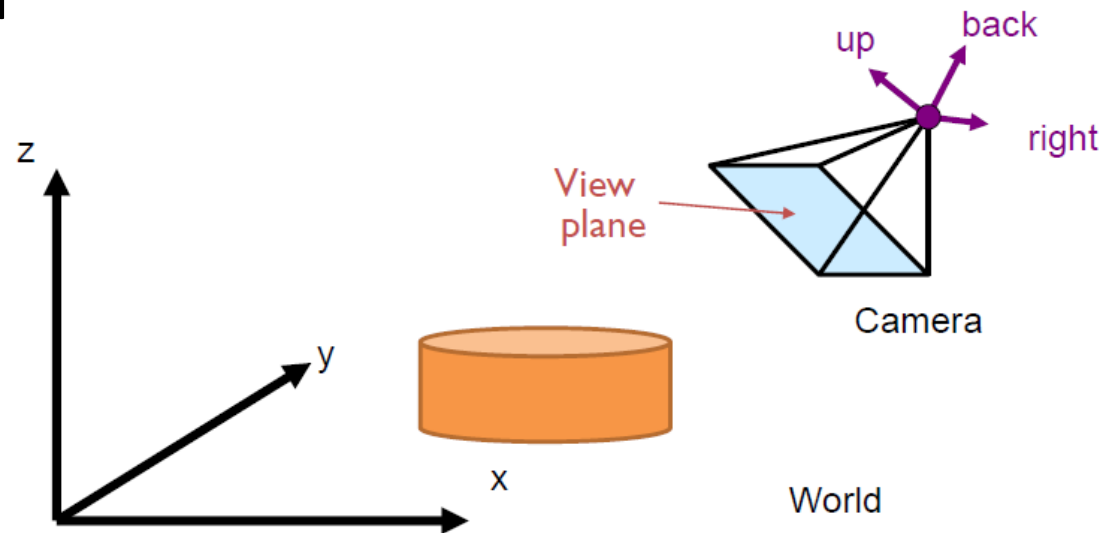
# Viewing Transformations

- Any combination of these matrices is a viewing transformation matrix
- Last coordinate is only for moving the pivot,  $w'$  is always 1 and will not be used
- How to find the transformation to a certain view (could be camera, light, etc)?



# Viewing Transformations

- After the transformation:
- Eye position should be at  $(0, 0, 0)$
- X axis = right vector
- Y axis = up vector
- Z axis = back vector





# Viewing Transformations

- It is easy to construct the invert transformation, from camera coordinates to world

$$\begin{array}{c} \text{Right} \\ \text{Vector} \end{array} \quad \begin{array}{c} \text{Up} \\ \text{Vector} \end{array} \quad \begin{array}{c} \text{Back} \\ \text{Vector} \end{array} \quad \begin{array}{c} \text{Eye} \\ \text{Position} \end{array}$$
$$\begin{bmatrix} x' \\ y' \\ z' \\ w' \end{bmatrix} = \begin{bmatrix} R_x & U_x & B_x & E_x \\ R_y & U_y & B_y & E_y \\ R_z & U_z & B_z & E_z \\ R_w & U_w & B_w & E_w \end{bmatrix} \begin{bmatrix} x \\ y \\ z \\ w \end{bmatrix}$$

# Viewing Transformations

- Examples:

(0, 0, 0) -> Eye Position

$$\begin{bmatrix} E_x \\ E_y \\ E_z \\ E_w \end{bmatrix} = \begin{bmatrix} R_x & U_x & B_x & E_x \\ R_y & U_y & B_y & E_y \\ R_z & U_z & B_z & E_z \\ R_w & U_w & B_w & E_w \end{bmatrix} \begin{bmatrix} 0 \\ 0 \\ 0 \\ 1 \end{bmatrix}$$

Camera X Axis -> Origin + Right vector

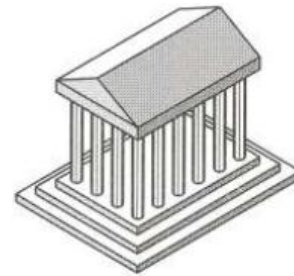
$$\begin{bmatrix} R_x + E_x \\ R_y + E_y \\ R_z + E_z \\ R_w + E_w \end{bmatrix} = \begin{bmatrix} R_x & U_x & B_x & E_x \\ R_y & U_y & B_y & E_y \\ R_z & U_z & B_z & E_z \\ R_w & U_w & B_w & E_w \end{bmatrix} \begin{bmatrix} 1 \\ 0 \\ 0 \\ 1 \end{bmatrix}$$

- Now all we have to do is invert T (always invertible), and we have our view transformation

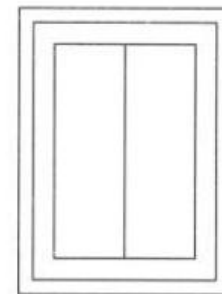
# Projections

- A projection transform points from higher dimension to a lower dimension, in this case 3D -> 2D
- The most simple projection is **orthographic**
- Simply remove the Z axis after the viewing transformation

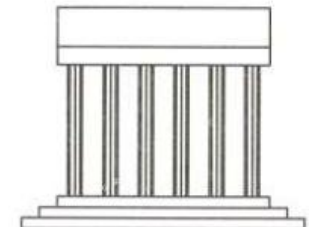
$$\begin{bmatrix} x_p \\ y_p \\ 0 \\ 1 \end{bmatrix} = \begin{bmatrix} x_v \\ y_v \\ 0 \\ 1 \end{bmatrix} = \begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} x_v \\ y_v \\ z_v \\ 1 \end{bmatrix}$$



Front



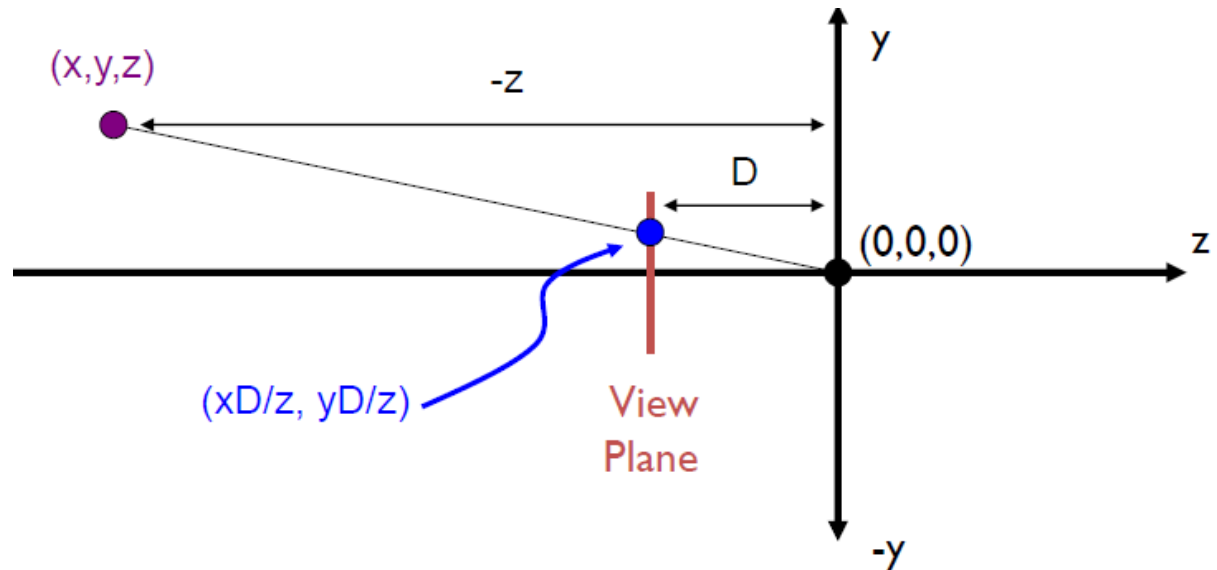
Top



Side

# Perspective Projections

- **Perspective projections** map points onto the **view plane** toward the **center of projection** (the viewer)
- Since the viewer is at  $(0, 0, 0)$  the math is very simple
- $D$  is called the **focal length**
- $x' = x*(D/z)$
- $y' = y*(D/z)$



# Perspective Projections

- Matrix form of the perspective projection using homogeneous coordinates

$$\begin{bmatrix} d & 0 & 0 & 0 \\ 0 & d & 0 & 0 \\ 0 & 0 & d & 0 \\ 0 & 0 & 1 & 0 \end{bmatrix} \begin{bmatrix} x \\ y \\ z \\ 1 \end{bmatrix} = [dx \quad dy \quad dz \quad z] \Rightarrow \begin{bmatrix} \frac{d}{z}x & \frac{d}{z}y & d \end{bmatrix}$$

**Divide by 4th coordinate  
(the “w” coordinate)**

- Singular matrix – projection is many to one
- $D = \text{infinity}$  gives an orthographic projection
- Points on the viewing plane  $z = D$  do not move
- Points at  $z = 0$  are not allowed – usually by using a clipping plane at  $z = \epsilon$

# LIGHTING

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Introduction to Rendering Techniques

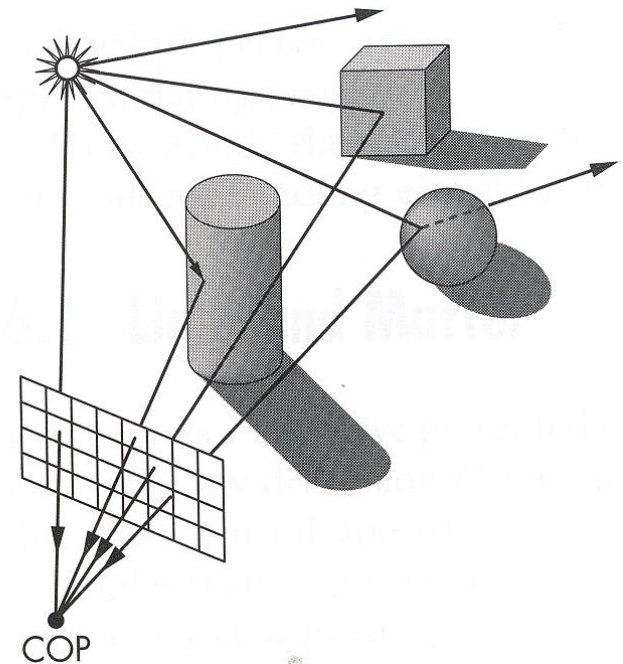
# RAY TRACING

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Introduction to Rendering Techniques

# Ray Tracing

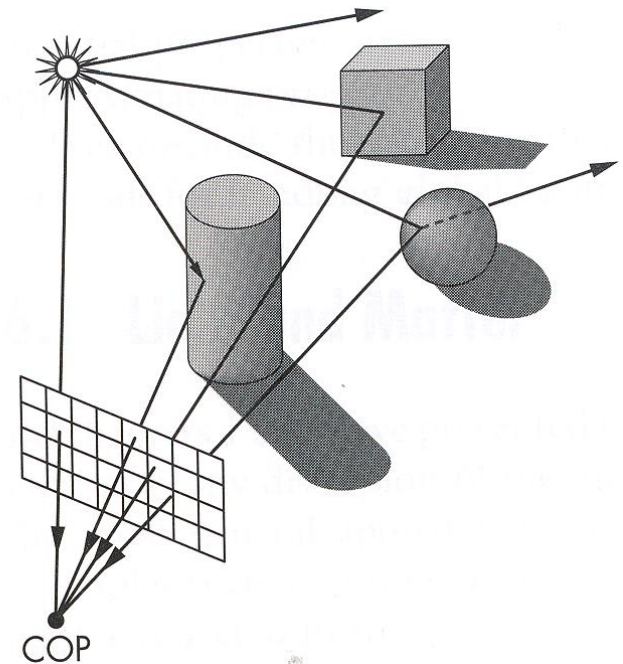
- Basic idea: Shoot a “visibility ray” from center of projection (camera) through each pixel in the image and find out where it hits
- This is actually backward tracing – instead of tracing rays **from** the light source, we trace the rays from the viewer back **to** the light source





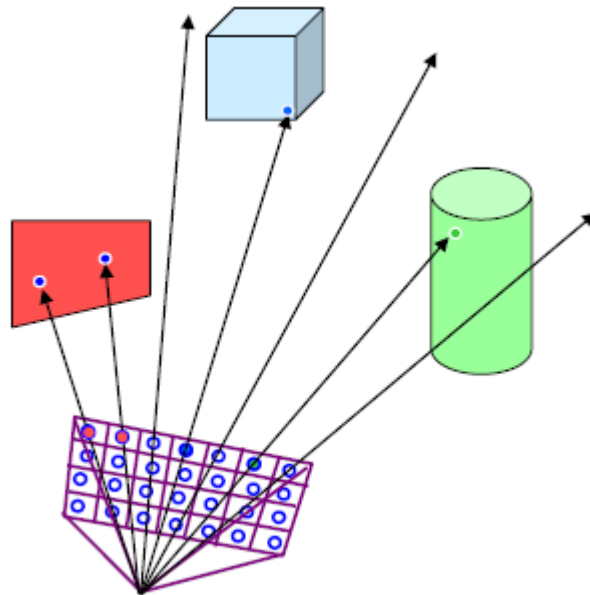
# Ray Tracing

- Backward tracing is called **Ray Casting**
- Simple to implement
- For each ray find intersections with every polygon – slow...
- Easy to implement realistic lighting, shadows, reflections and refractions, and indirect illumination



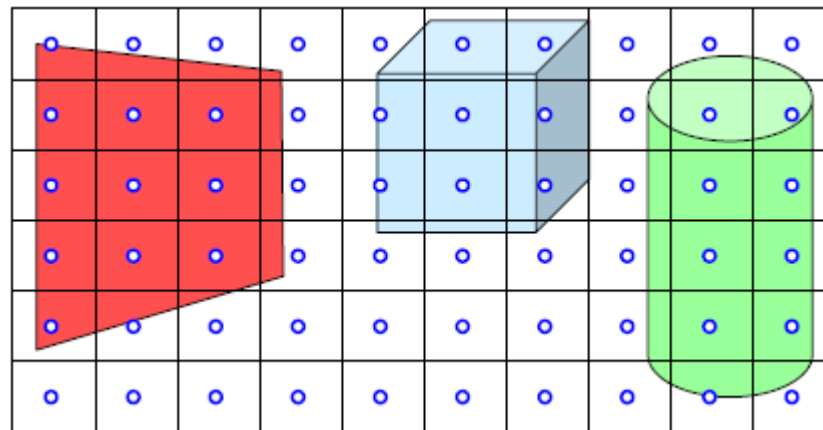
# Ray Tracing

- For each sample (pixel or subpixel):
- Construct a **ray** from eye position through viewing plane



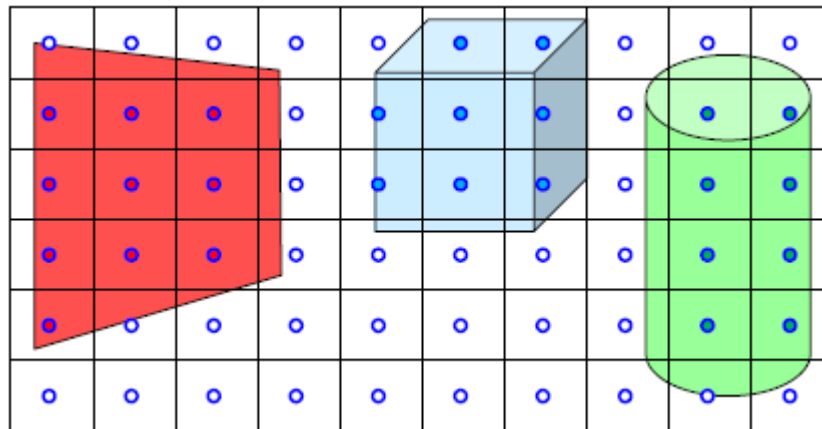
# Ray Tracing

- For each sample (pixel or subpixel):
- Construct a **ray** from eye position through viewing plane
- Find first (closest) surface that intersects the ray



# Ray Tracing

- For each sample (pixel or subpixel):
- Construct a **ray** from eye position through viewing plane
- Find first (closest) surface that intersects the ray
- Compute color based on surface **radiance**

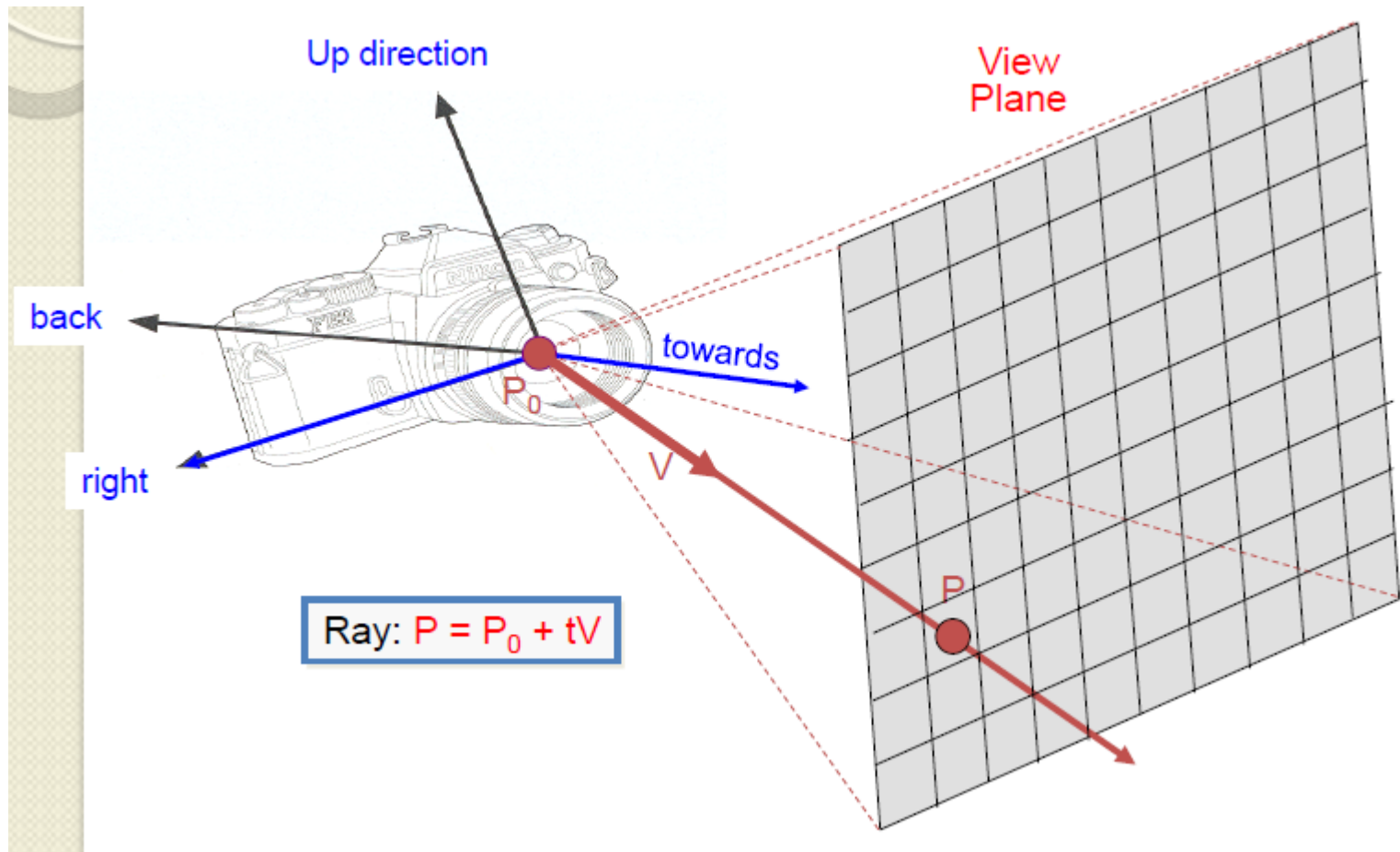


# Ray Tracing

- For each sample (pixel or subpixel):
- Construct a **ray** from eye position through viewing plane
- Find first (closest) surface that intersects the ray
- Compute color based on surface **radiance**
- Computing radiance requires casting rays toward the light source, reflected and refracted objects and **recursive illumination rays** from reflected and refracted objects

# Ray Tracing – Casting Rays

- Construct a ray through viewing plane:



# Ray Tracing – Casting Rays

- Construct a ray through viewing plane:
- 2D Example:

$\Theta$  = frustum half-angle

$d$  = distance to view plane

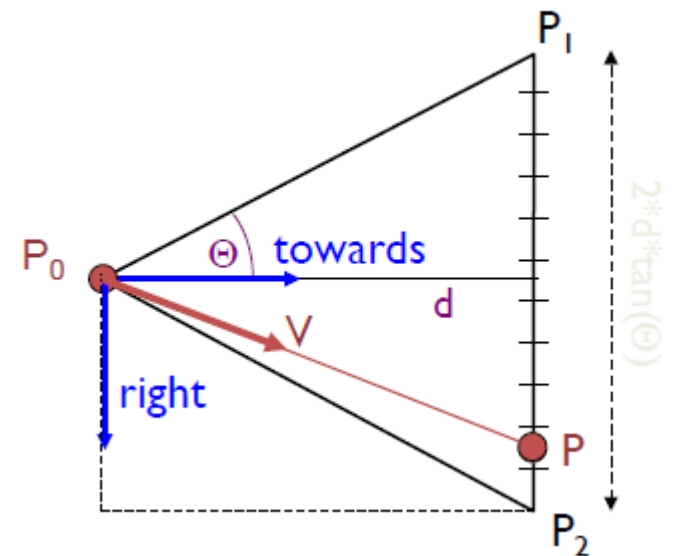
$$P_1 = P_0 + d \cdot \text{towards} - d \cdot \tan(\Theta) \cdot \text{right}$$

$$P_2 = P_0 + d \cdot \text{towards} + d \cdot \tan(\Theta) \cdot \text{right}$$

$$P = P_1 + (i/\text{width} - 0.5) * 2 * d * \tan(\Theta) * \text{right}$$

$$V = (P - P_0) / \|P - P_0\|$$

For every  $i$  between  $(-\text{width}/2)$  and  $(\text{width}/2)$



$$\text{Ray: } P = P_0 + tV$$

# Ray Tracing - Intersections

- Finding intersections
  - ▣ Intersecting spheres
  - ▣ Intersecting triangles (polygons)
  - ▣ Intersecting other primitives
  - ▣ Finding the closest intersection in a group of objects / all scene



# Ray Tracing - Intersections

- Finding intersections with a sphere:  
Algebraic method

Ray:  $P = P_0 + tV$

Sphere:  $|P - O|^2 - r^2 = 0$

Substituting for P, we get:

$$|P_0 + tV - O|^2 - r^2 = 0$$

Solve quadratic equation:

$$at^2 + bt + c = 0$$

where:

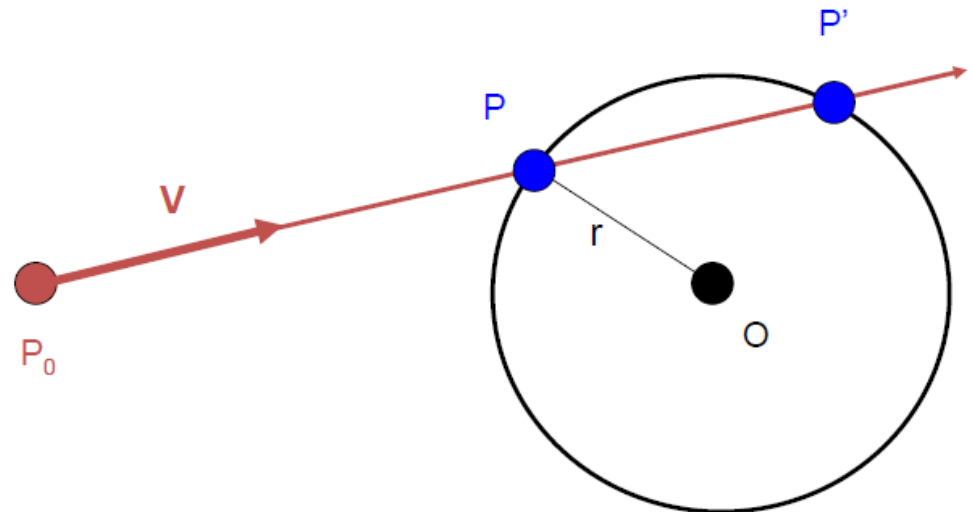
$$a = 1$$

$$b = 2V \cdot (P_0 - O)$$

$$c = |P_0 - O|^2 - r^2 = 0$$

Solve for t

$$\longrightarrow P = P_0 + tV$$



# Ray Tracing - Intersections

- Finding intersections with a sphere:  
Geometric method

Ray:  $P = P_0 + tV$

Sphere:  $|P - O|^2 - r^2 = 0$

$L = O - P_0$

$t_{ca} = L \cdot V$

if ( $t_{ca} < 0$ ) return 0

$d^2 = L \cdot L - t_{ca}^2$

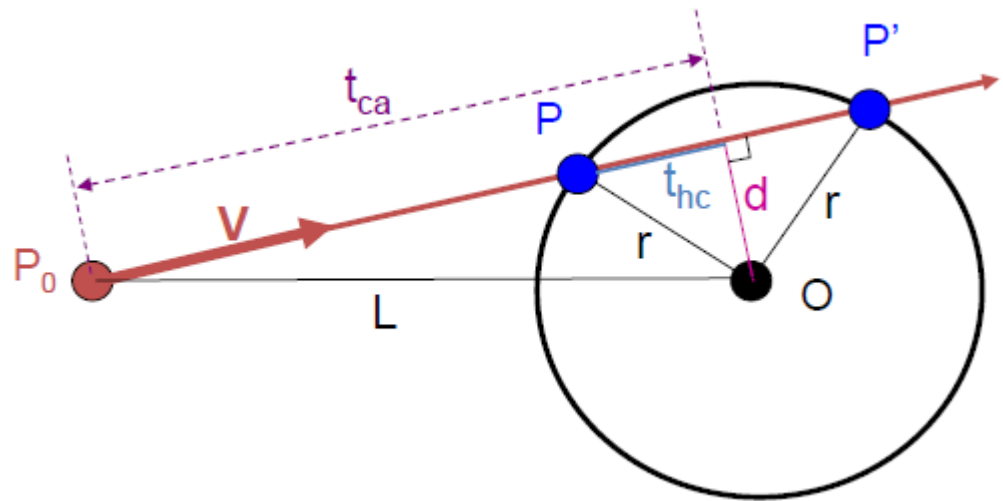
if ( $d^2 > r^2$ ) return 0

$t_{hc} = \text{sqrt}(r^2 - d^2)$

$t = t_{ca} - t_{hc}$  and  $t_{ca} + t_{hc}$

Solve for  $t$

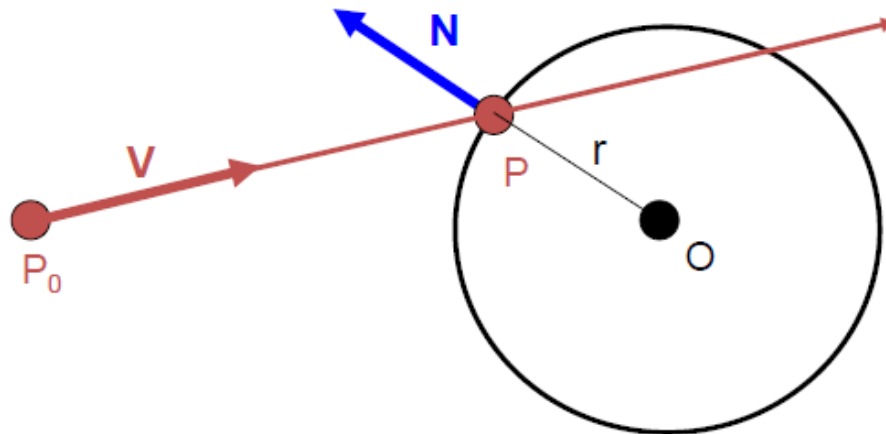
→  $P = P_0 + tV$



# Ray Tracing - Intersections

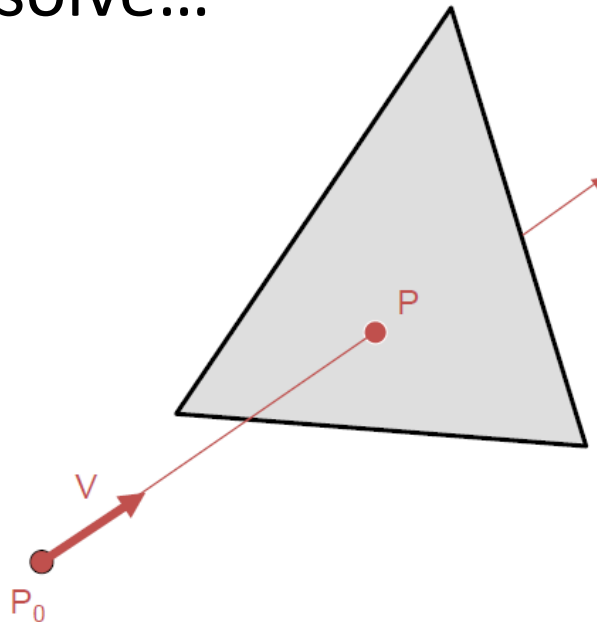
- Finding intersections with a sphere:  
Calculating normal
- We will need the **normal** to compute lighting, reflection and refractions

$$N = (P - O) / \|P - O\|$$



# Ray Tracing - Intersections

- Finding intersections with a triangle:
- Step 1: find intersection with the plane
- Step 2: check if point on plane is inside triangle
- Many ways to solve...



# Ray Tracing - Intersections

- Step 1: find intersection with the plane:  
Algebraic method

Ray:  $P = P_0 + tV$

Plane:  $N(P - P_0) = 0 \rightarrow P \cdot N + c = 0$

Substituting for  $P$ , we get:

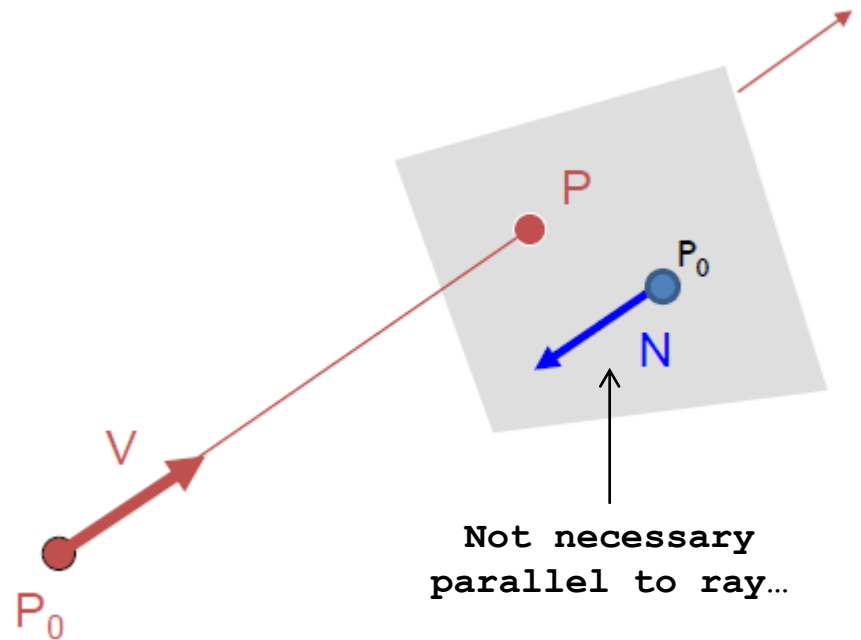
$$(P_0 + tV) \cdot N + c = 0$$

Solution:

$$t = -(P_0 \cdot N + c) / (V \cdot N)$$

And the intersection at:

$$P = P_0 + tV$$



# Ray Tracing - Intersections

- Step 2: Check if point is inside triangle  
Algebraic method

For each side of triangle

$$V_1 = T_1 - P_0$$

$$V_2 = T_2 - P_0$$

$$N_1 = V_2 \times V_1$$

Normalize  $N_1$

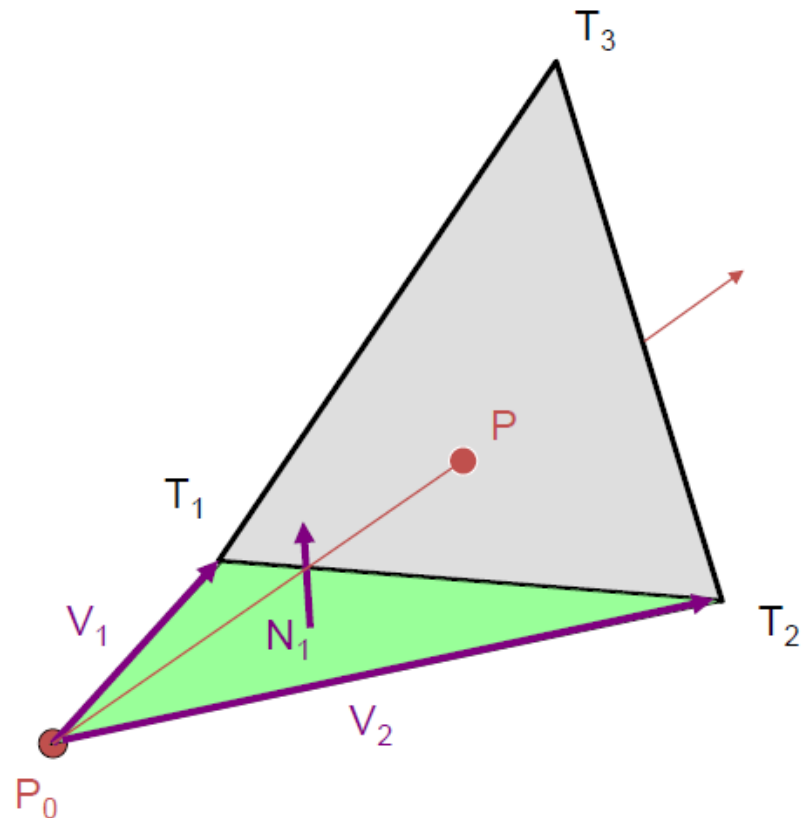
if  $(P - P_0) \cdot N_1 < 0$

return FALSE;

end



If all 3 succeed the point  
is inside the triangle



# Ray Tracing - Intersections

- Step 2: Check if point is inside triangle  
Parametric method

Compute  $\alpha, \beta$ :

$$P = \alpha (T_2 - T_1) + \beta (T_3 - T_1)$$

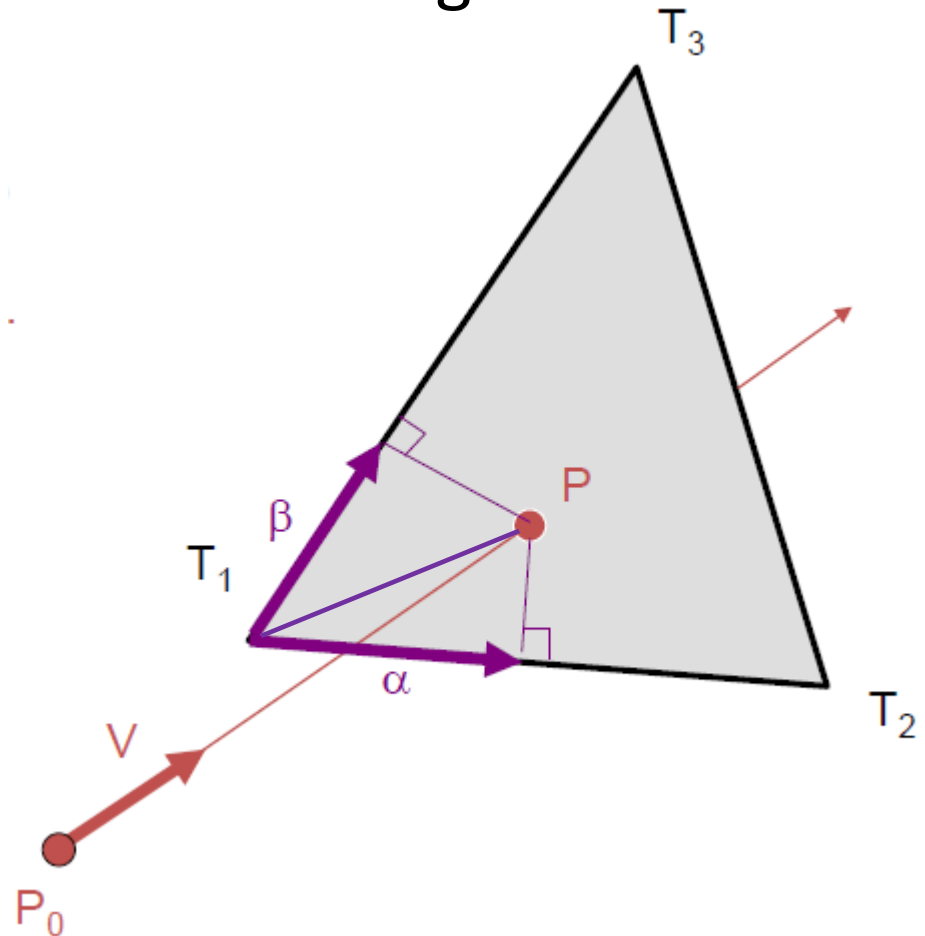
Using dot products

$$(P - T_1) \cdot (T_2 - T_1) \text{ and } (P - T_1) \cdot (T_3 - T_1)$$

Check if point inside triangle.

$$0 \leq \alpha \leq 1 \text{ and } 0 \leq \beta \leq 1$$

$$\alpha + \beta \leq 1$$



# Ray Tracing - Intersections

- Ray tracing can support other primitives
  - ▣ Cone, Cylinder, Ellipsoid: similar to sphere
  - ▣ Convex Polygon:  
Point in Polygon is a basic problem in computational geometry and has algebraic solutions
  - ▣ Concave Polygon:  
Same plane intersection  
More complex point-in-polygon test
  - ▣ Alternatively, divide the polygon to triangles and check each triangle

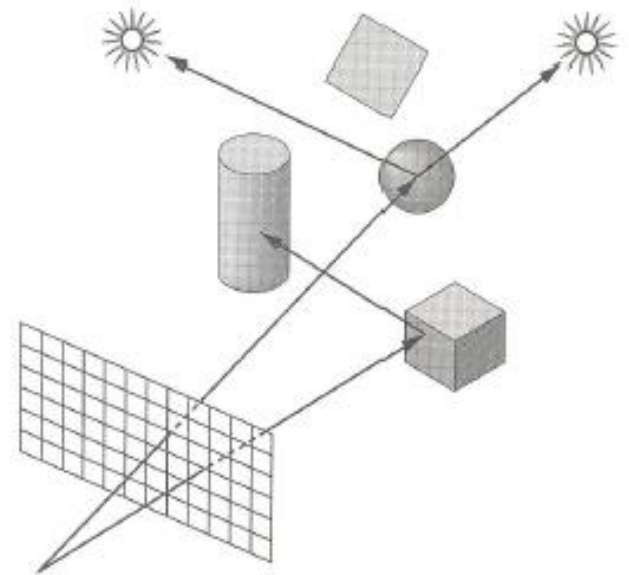


# Ray Tracing - Intersections

- Find closest intersection:
- Simple solution is go over each polygon in the scene and test for intersections
- We will see optimizations for this later... (maybe)
  
- We have an intersection – what now?

# Ray Tracing – Computing Color

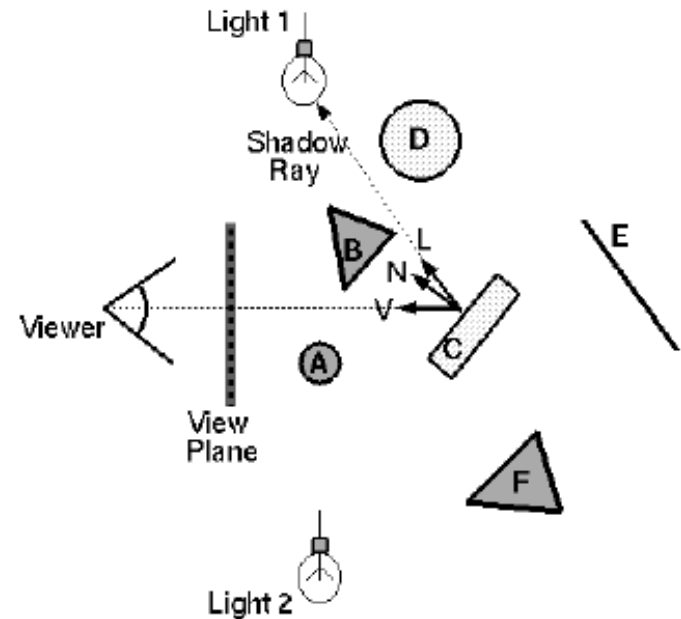
- Computing lighting can be similar to the process when rasterizing (using normals)
- This is not for a vertex but for the intersection point
- For better accuracy: **ray trace lighting**
  - At each intersection point cast a ray towards every light source
  - Provides lighting, shadows, reflections, refractions and indirect illumination
  - Easy to compute soft shadows, area lights



# Ray Tracing – Shadows

- Shadow term tell which light source are blocked
- $S_L = 0$  if ray is blocked,  
 $S_L = 1$  otherwise
- Direct illumination is only calculated for unblocked lights
- Illumination formula:

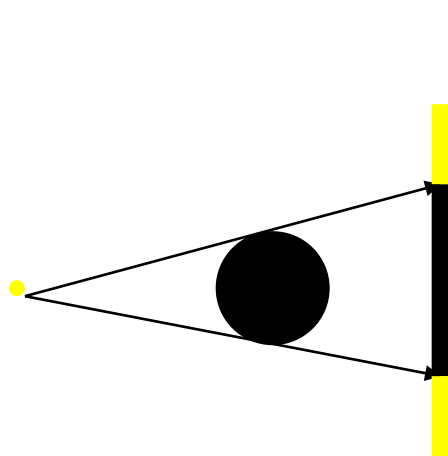
$$I = I_E + K_A I_A + \sum_L (K_D (N \cdot L) + K_S (V \cdot R)^n) S_L I_L$$



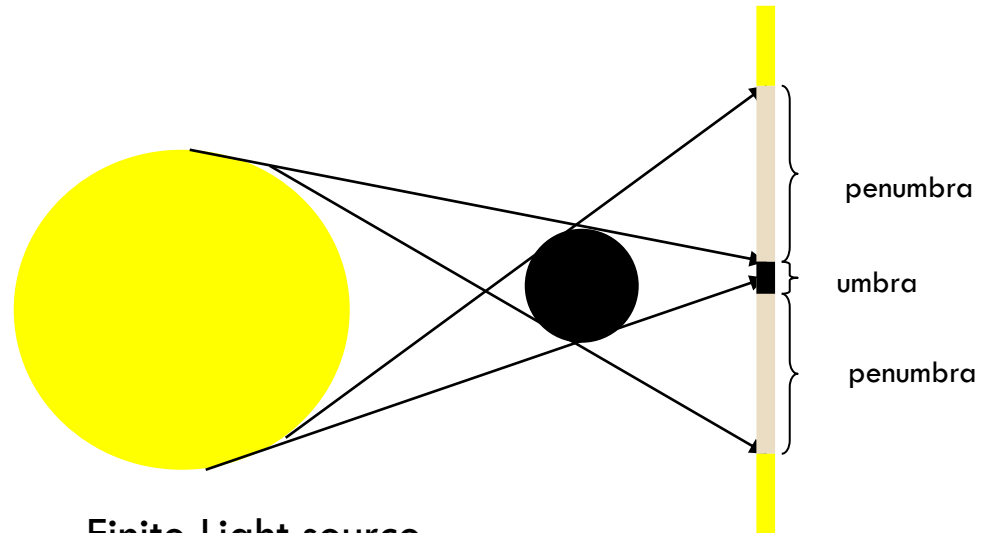
Shadow term

# Ray Tracing – Soft Shadows

- Why are real life shadows soft?
- Because light source is not truly a point light



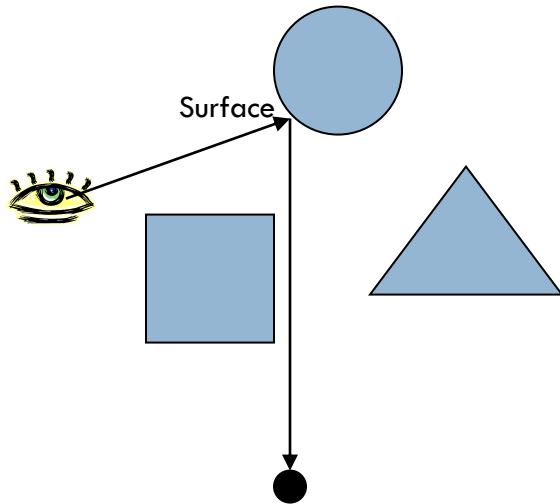
Point Light source



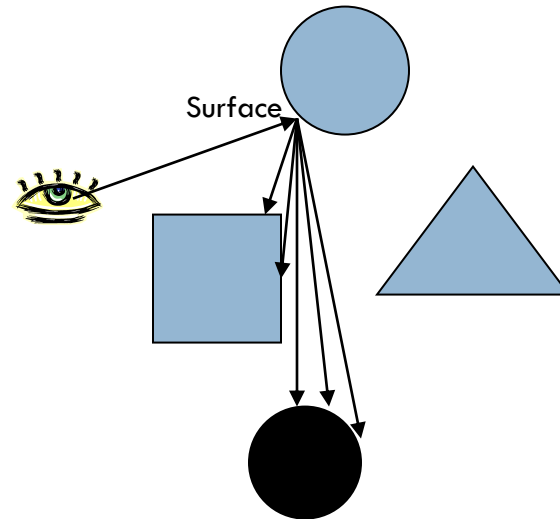
Finite Light source

# Ray Tracing – Soft Shadows

- Simulate the area of a light source by casting several (random) rays from the surface to a small distance around the light source



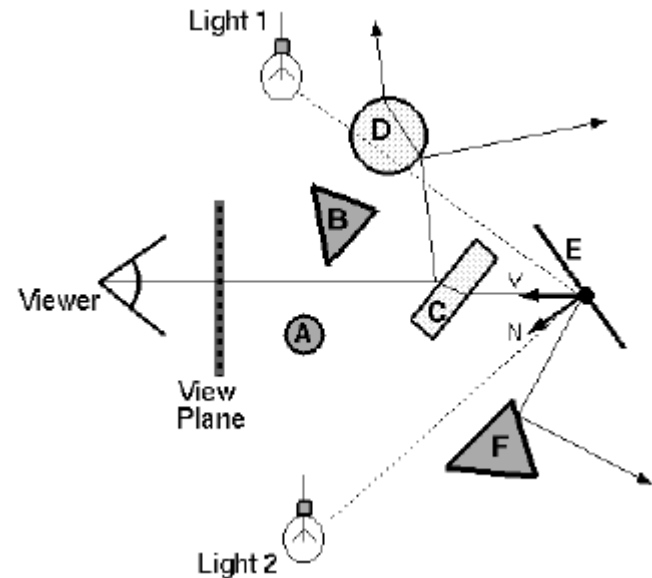
Point light source: The surface is completely lit by the light source.



Finite light source: 3/5 of the rays reach the light source. The surface is partially lit.

# Ray Tracing – Reflection / Refraction

- Recursive ray tracing: Casting rays for reflections and refractions
- For every point there are **exact directions** to sample reflection and refraction (calculated from normal)

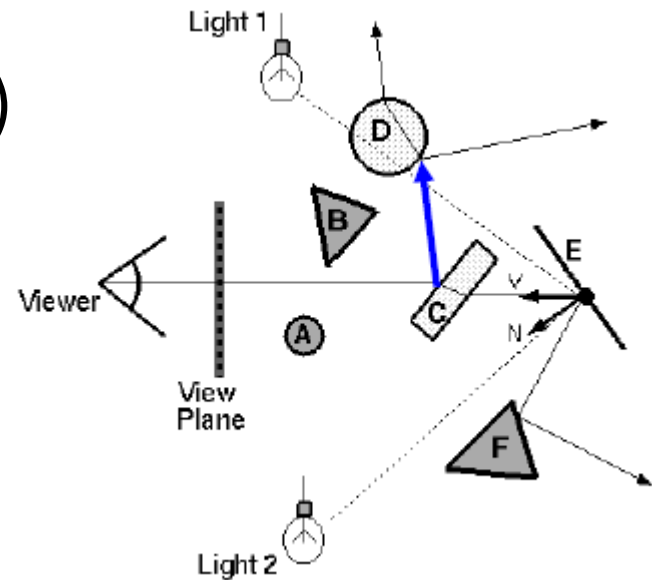


- Illumination formula:

$$I = I_E + K_A I_A + \sum_L (K_D (N \cdot L) + K_S (V \cdot R)^n) S_L I_L + K_S I_R + K_T I_T$$

# Ray Tracing – Reflection / Refraction

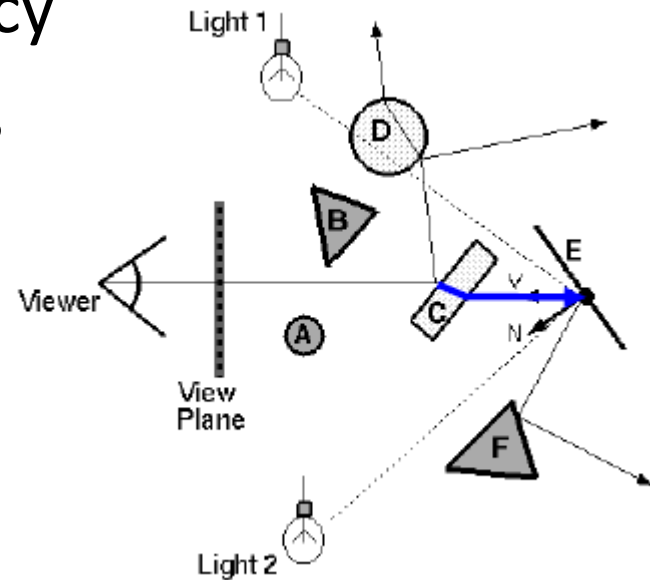
- Cast a reflection ray
- Compute color at the hit point (using ray tracing again!)
- Multiply by **reflection term** of the material
- To avoid aliasing sample **several** rays in the required direction and average



$$I = I_E + K_A I_A + \sum_L (K_D (N \cdot L) + K_S (V \cdot R)^n) S_L I_L + K_S I_R + K_T I_T$$

# Ray Tracing – Reflection / Refraction

- ... And the same for **refractions**
- Last coefficient is transparency
- $K_T = 1$  for **translucent** objects
- $K_T = 0$  for **opaque** objects
- Consider **refractive index** of object
- Again use several rays to avoid aliasing

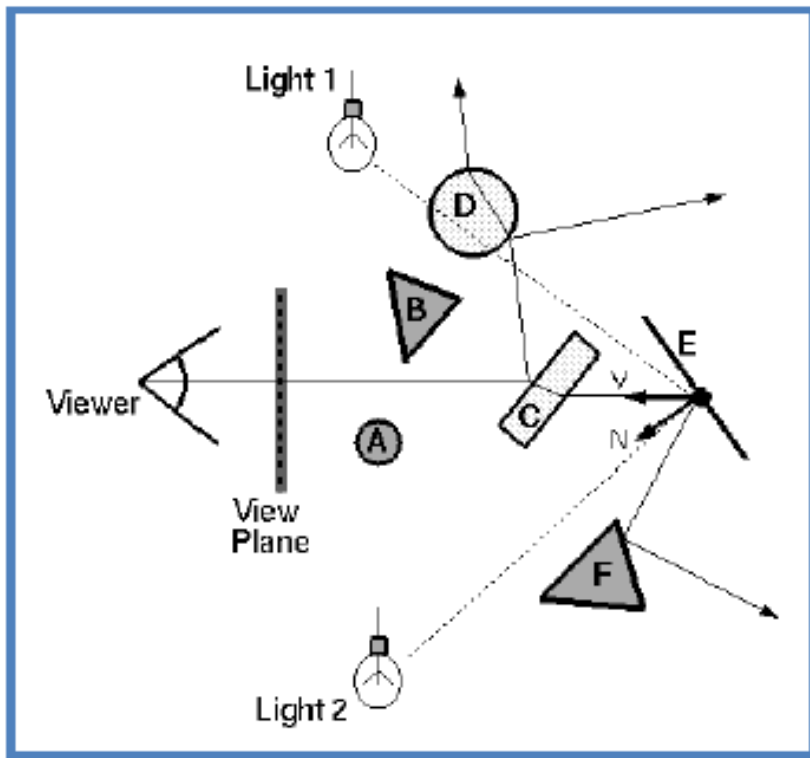


$$I = I_E + K_A I_A + \sum_L (K_D (N \cdot L) + K_S (V \cdot R)^n) S_L I_L + K_S I_R + K_T I_T$$

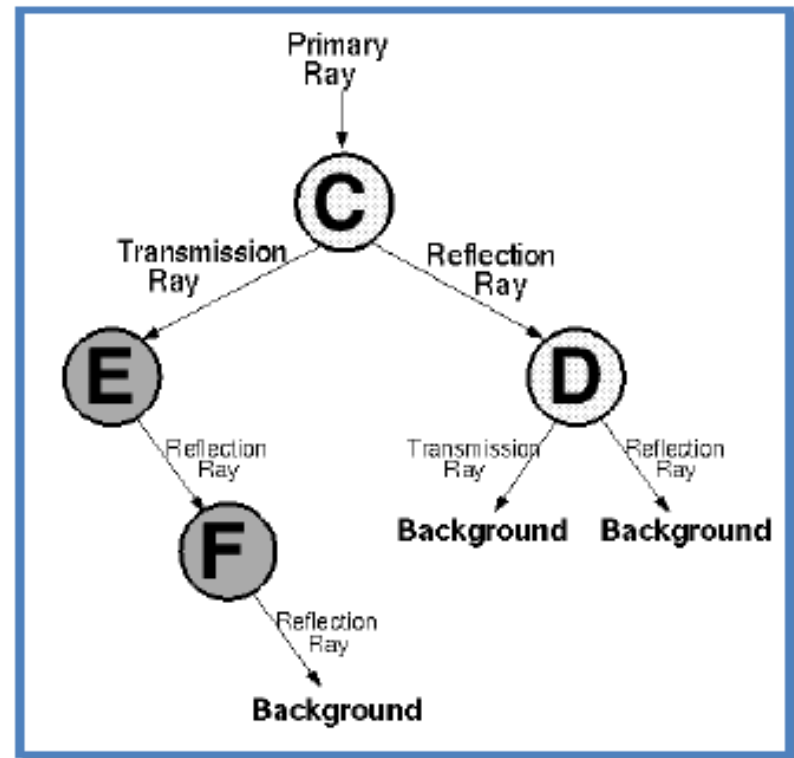


# Ray Tracing – Reflection / Refraction

- Ray tree represents recursive illumination computation



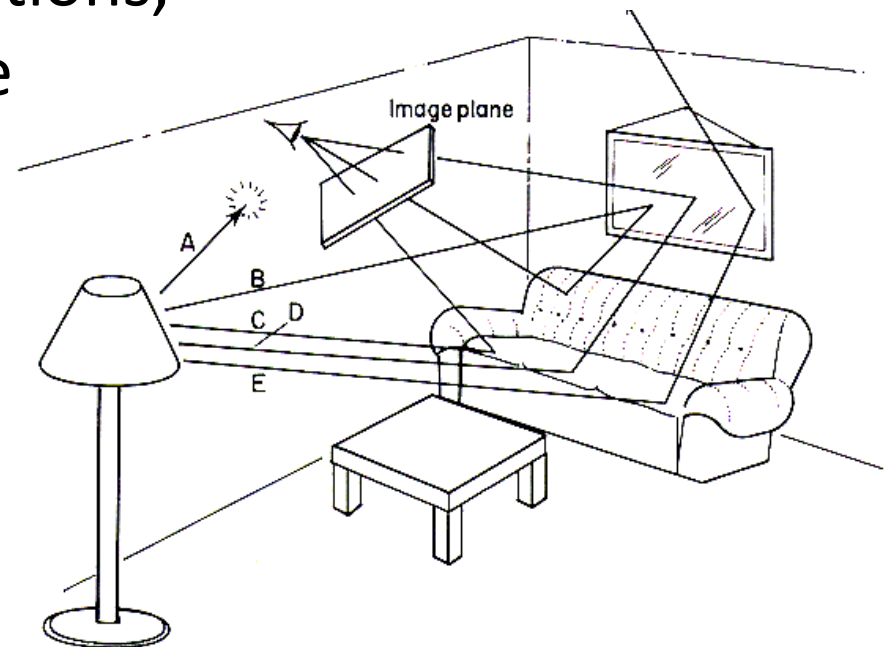
Ray traced through scene



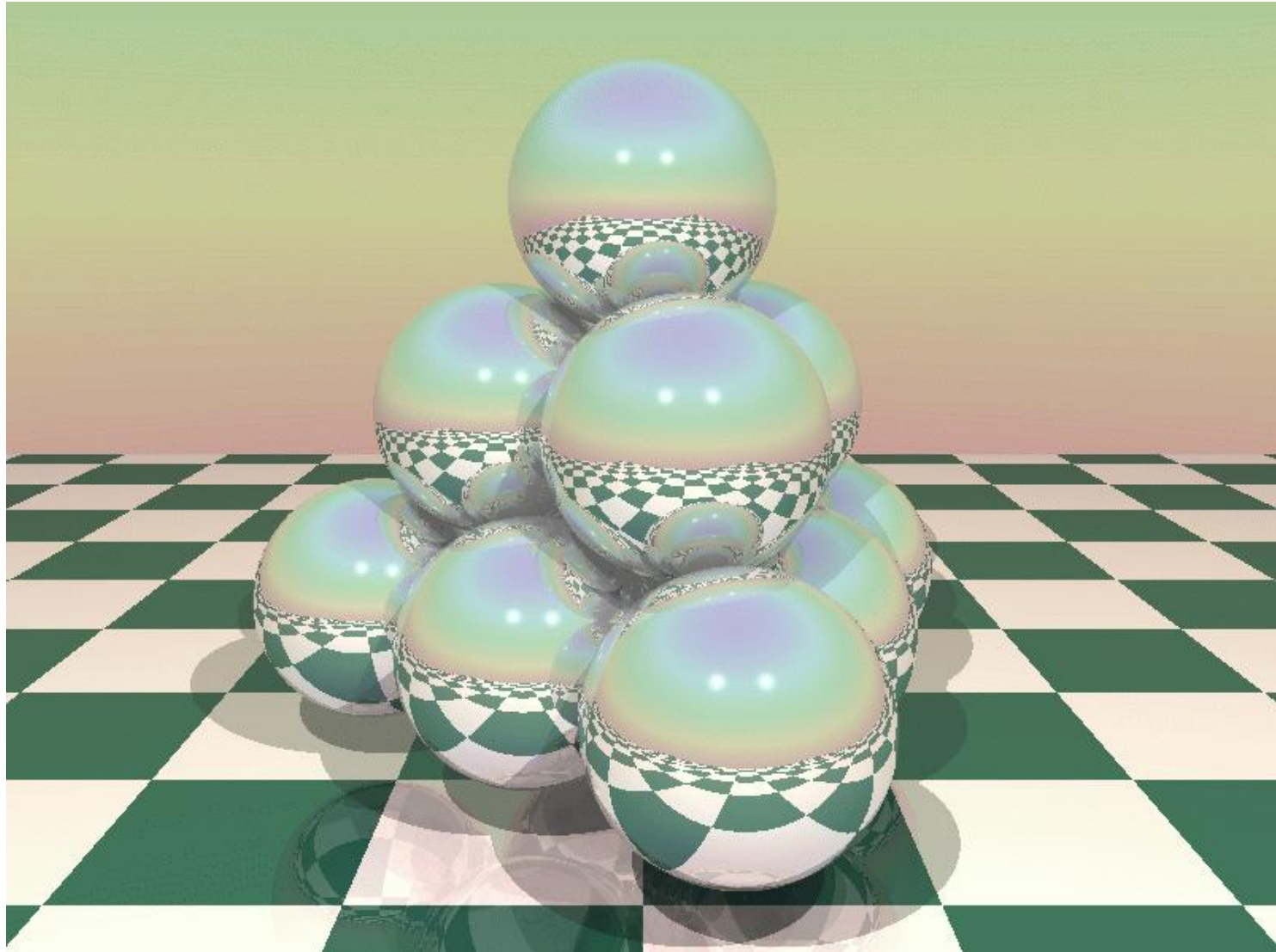
Ray tree

# Ray Tracing – Reflection / Refraction

- Number of rays grows exponentially for each level!
- Common practice: limit maximum depth
- After 2-3 bouncing reflections, the cost is high and there is little benefit



# Ray Tracing – Antialiasing

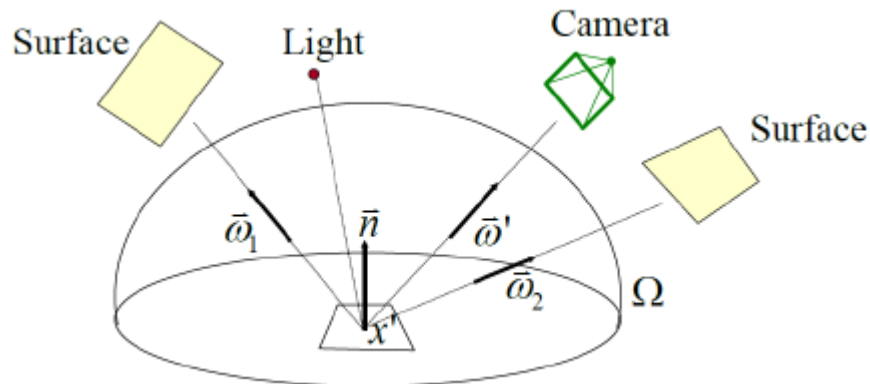


# Ray Tracing – Antialiasing

- Aliasing in ray tracing can be severe, since only one ray is casted per pixel
- The computation is based on the size of the pixels, not on the size of the actual polygons which can be relatively small
- Supersampling: Instead of casting one ray per pixel, cast several per pixel
- Since this is done at the first step, it is as inefficient as possible (running the whole process again)

# Ray Tracing – Indirect Illumination

- What we've seen so far is only an approximation of real lighting: The rays are only casted **directly** towards the light
- Use reflections, but not indirect lighting
- Global illumination: A method to approximate indirect lighting from every direction



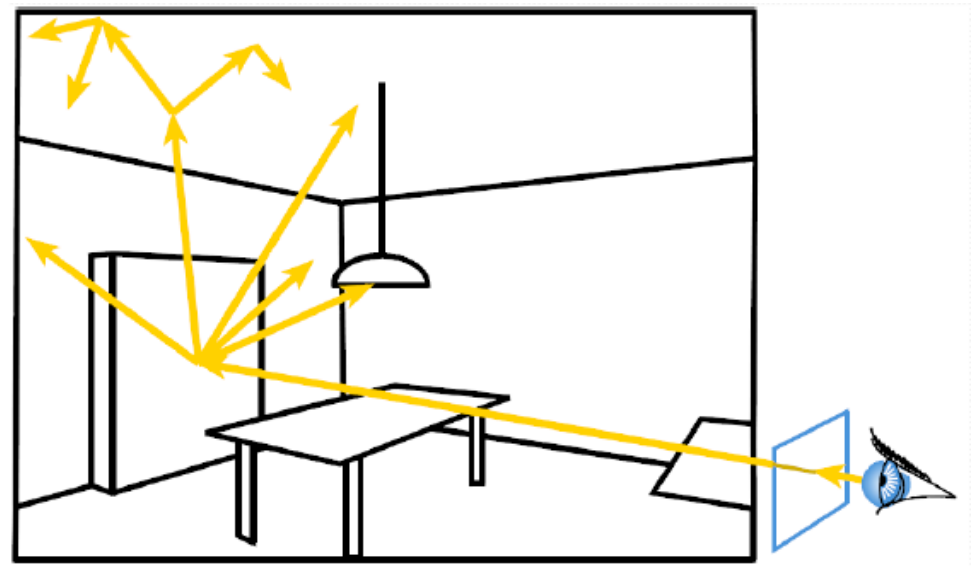
# Ray Tracing – Indirect Illumination

- Example:
- Top image uses direct lighting only
- Bottom image uses indirect illumination
- Notice the ground is “reflected” naturally on the character
- Not because of reflective material but because of lighting contribution



# Ray Tracing – Indirect Illumination

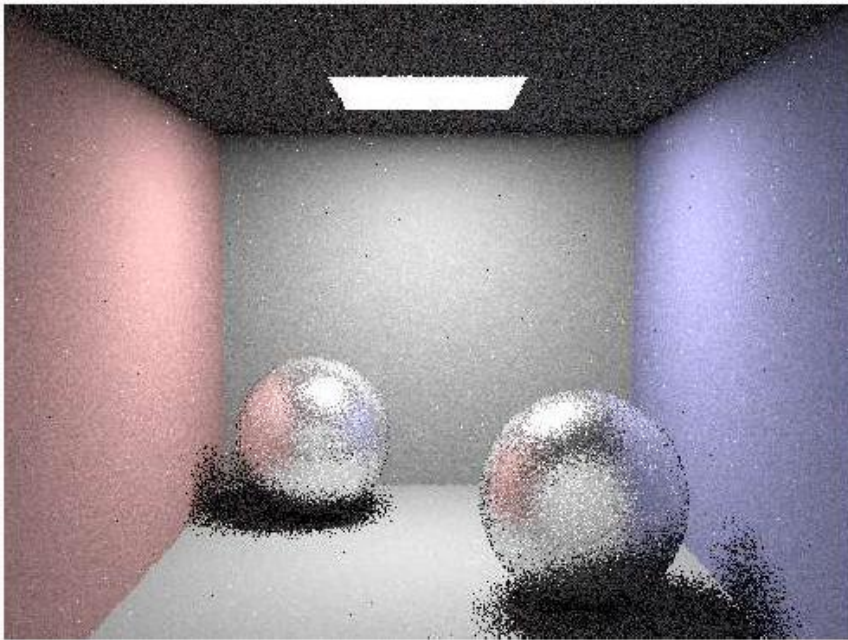
- Monte-Carlo path tracing
- Step 1: Cast regular rays through each pixel in viewing plane
- Step 2: Cast random rays from visible point
- Step 3: Recurse
- Very expensive!



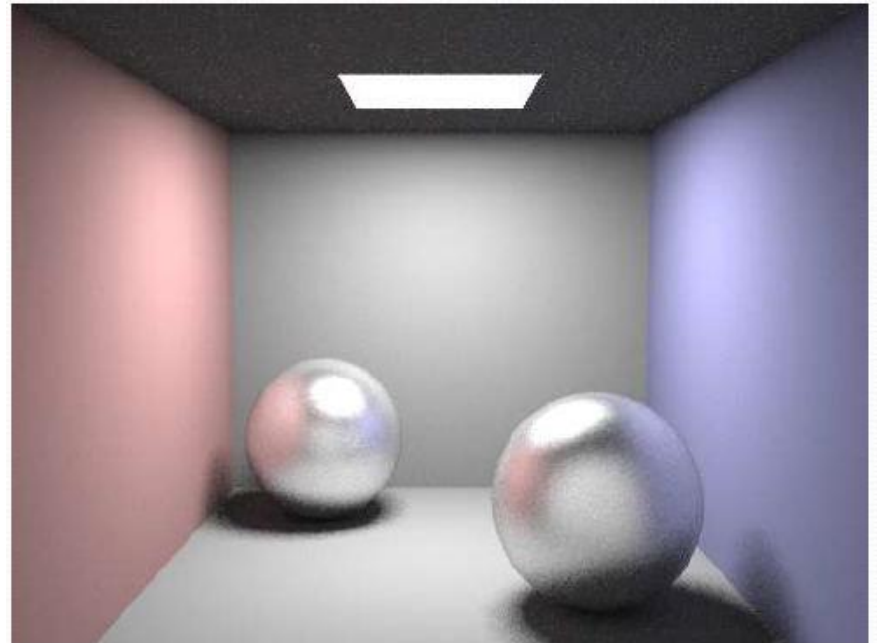
# Ray Tracing – Indirect Illumination

- Monte-Carlo path tracing

**1 random ray per pixel  
no recursion**



**16 random rays per pixel  
3 levels of recursion**

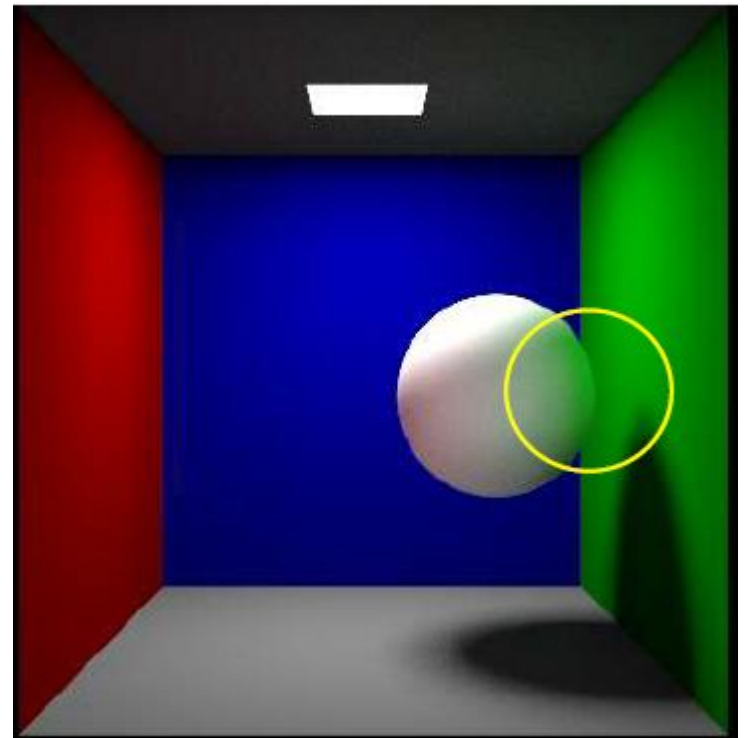




# Ray Tracing – Indirect Illumination

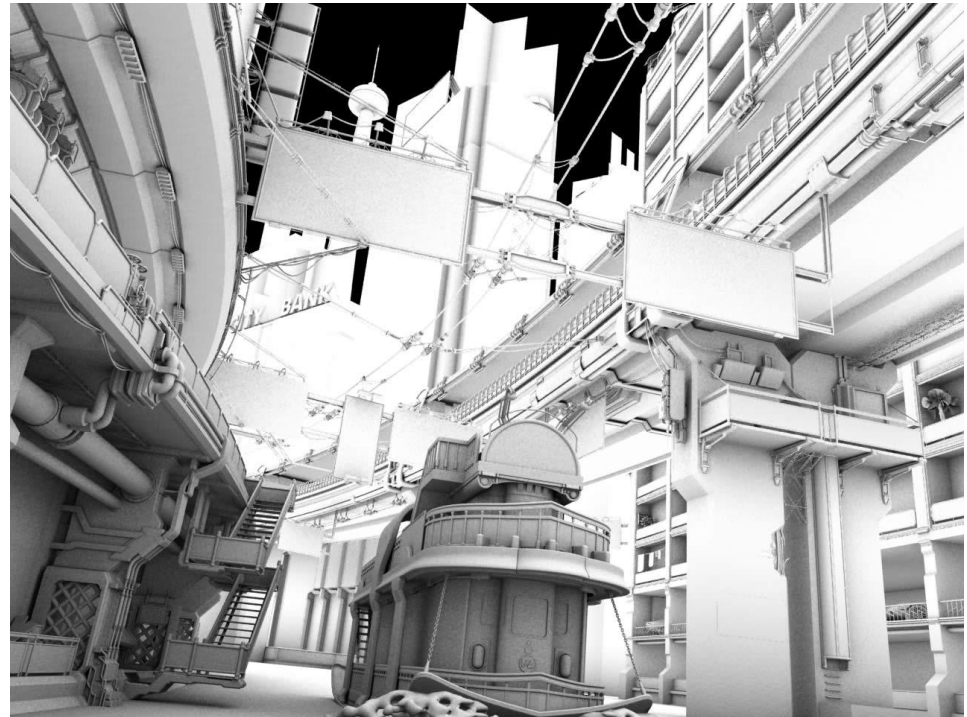
- ❑ Monte-Carlo path tracing
- ❑ Need a lot of rays and recursions to look good
- ❑ Random rays cause flickering problems
- ❑ Computation time measured in hours!
- ❑ Common practice: Bake global illumination map of one frame and use it for all frames

64 random rays per pixel  
3 levels of recursion



# Ray Tracing - Ambient Occlusion

- ❑ Ambient Occlusion is a simpler form of global illumination
- ❑ Cast random rays from visible point and calculate distance to the nearest object
- ❑ The more rays hit near objects, the point is occluded and therefore darker
- ❑ A cheat - “make nice” button
- ❑ Everything looks **better** with ambient occlusion!



# Ray Tracing - Ambient Occlusion

- Good for contact shadows
- Examples:



No SSAO



With SSAO



# Summary

## Rasterization

- Fast renderer
- Optimized for GPUs
- Antialiasing is easy and fast
- Scales well for larger images
- Parallel computing possible on GPU
- Shadows are hard to compute and inaccurate
- Reflections and refractions are a hack
- Indirect illumination complex but possible (rarely used in practice)

## Ray Tracing

- Slow renderer - only today we see some real time ray tracing possible
- Not optimized for GPUs
- Antialiasing is expensive
- Doesn't scale so well
- Parallel computing is easy
- Shadows are easy including soft shadows
- Reflections and refractions are easy
- Indirect illumination complex but possible (rarely used in practice)

# What Artists Do

- In practice: Both are used side by side
- Games:  
Real time, mostly rasterized except for special effects
- Movies / Animation:
  - Not real time, but time = money  
Usually a mix of rasterization and ray traced reflections / refractions.
  - Global illumination is sometimes used but usually faked using direct lights

# What Artists Do

- Common practice: Use render layers and composite later using a video editing program (like After Effects)
- Render layers:
  - Color (radiance)
  - Reflections
  - Refractions
  - Depth map
  - Ambient Occlusion
- Makes it easy to make fast changes later without rendering again

THAT'S ALL, FOLKS!

22 Mar. 2012

Introduction to Rendering Techniques